

Space-time characterization of heavy rainfall events: Application to the Cévennes-Vivarais region

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OUTLINE OF THE PRESENTATION

- **Introduction**
- **Methodological development**
- **Application: Severity Diagrams**
- **Conclusions**

PART I



INTRODUCTION

General overview

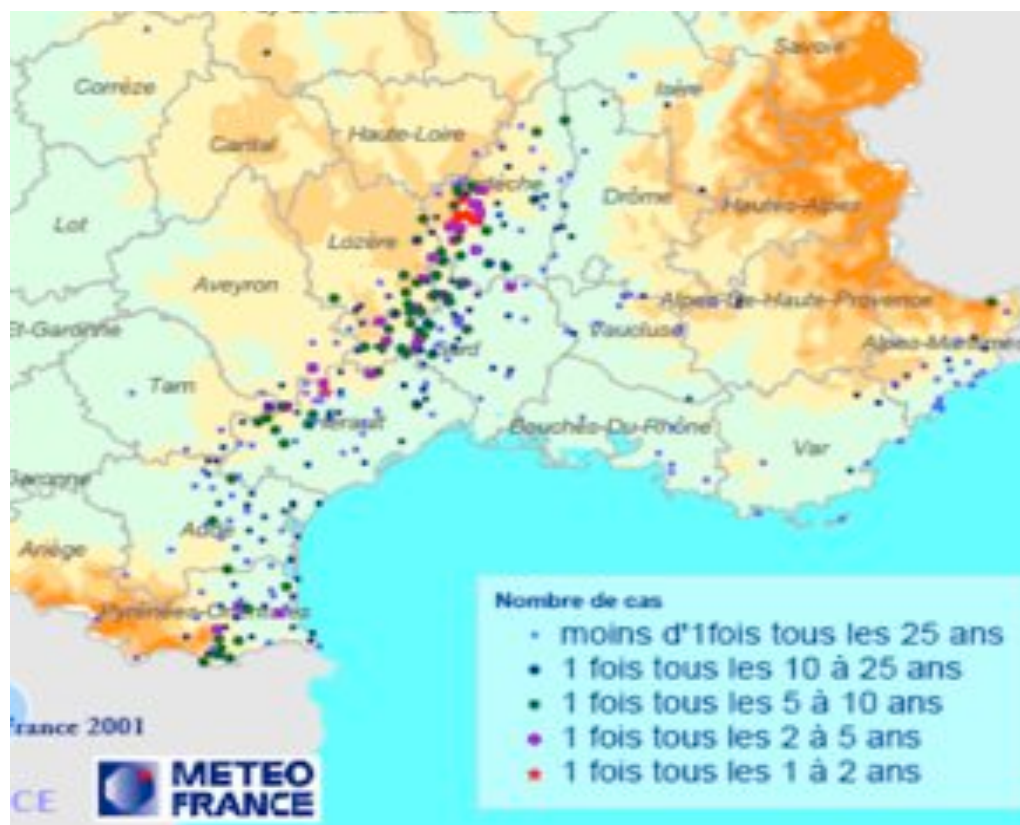
Context:

Extreme rainfall in a Mediterranean Mountainous Region

1958-1994:

Daily amount > 190 mm

Total: 144 events

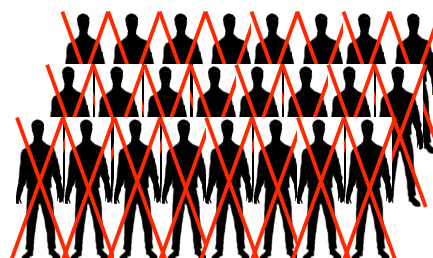


Warm humid air from Mediterranean Sea + Orography = Storms

General overview

Cévennes-Vivarais: region prone to catastrophic flash-floods

Social and economic impact (human lives, damages,...)

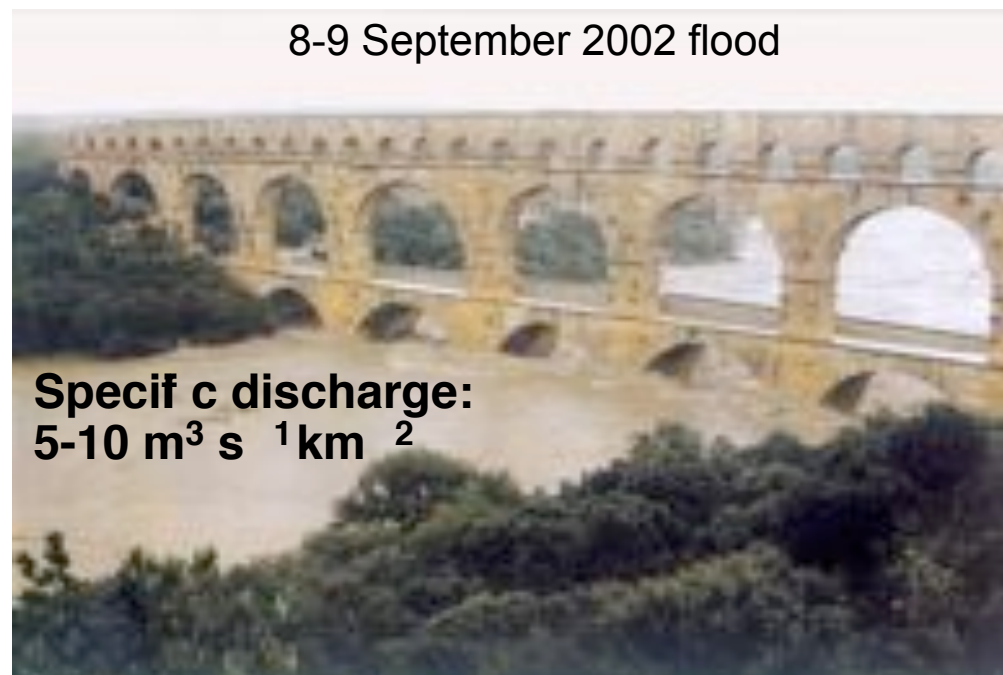


1600 M€

Normal Conditions



8-9 September 2002 flood



Specific discharge:
 $5-10 \text{ m}^3 \text{ s}^{-1} \text{ km}^{-2}$

General overview

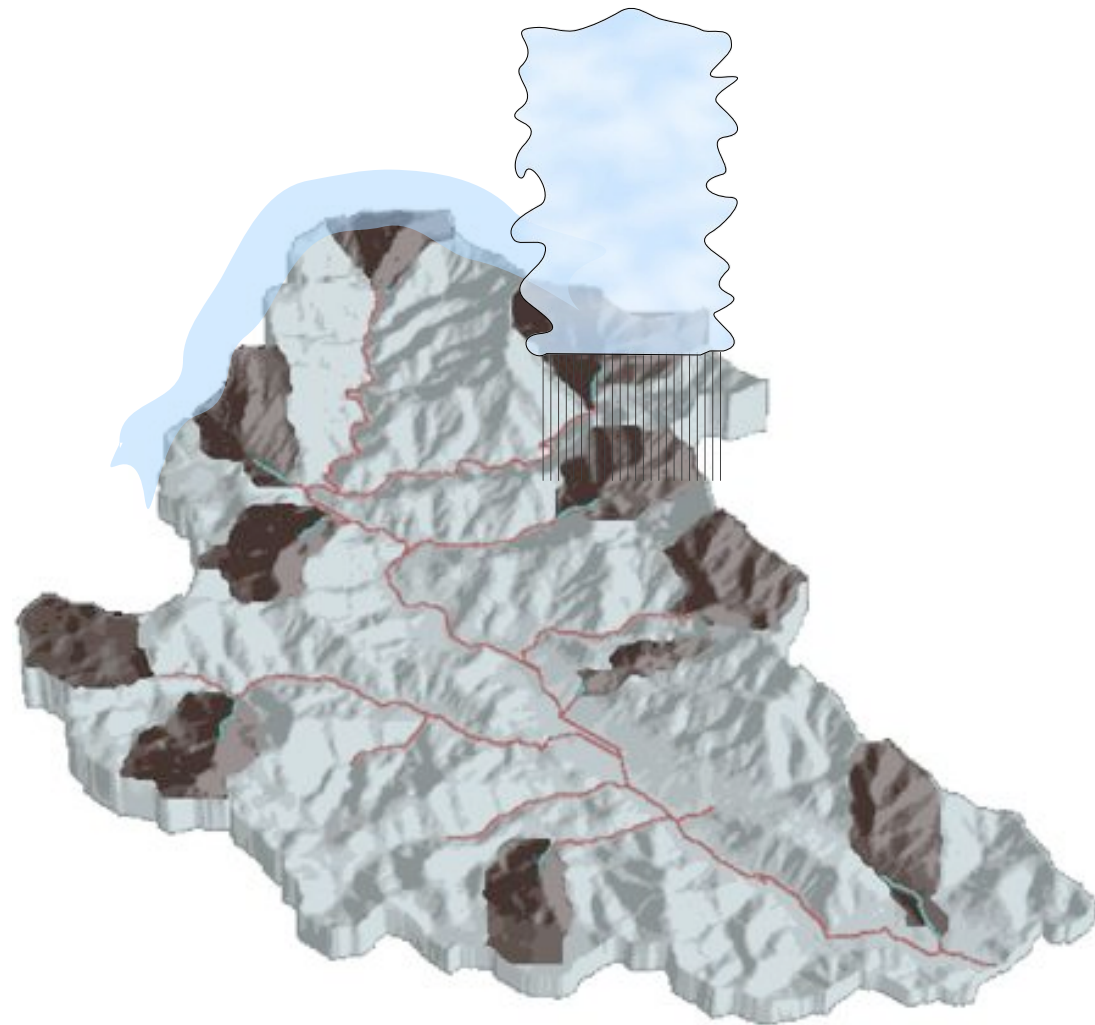
Is it a « hydrological monster » or a regular event?



How can we measure the magnitude of extremes?

Impact of storms at various durations

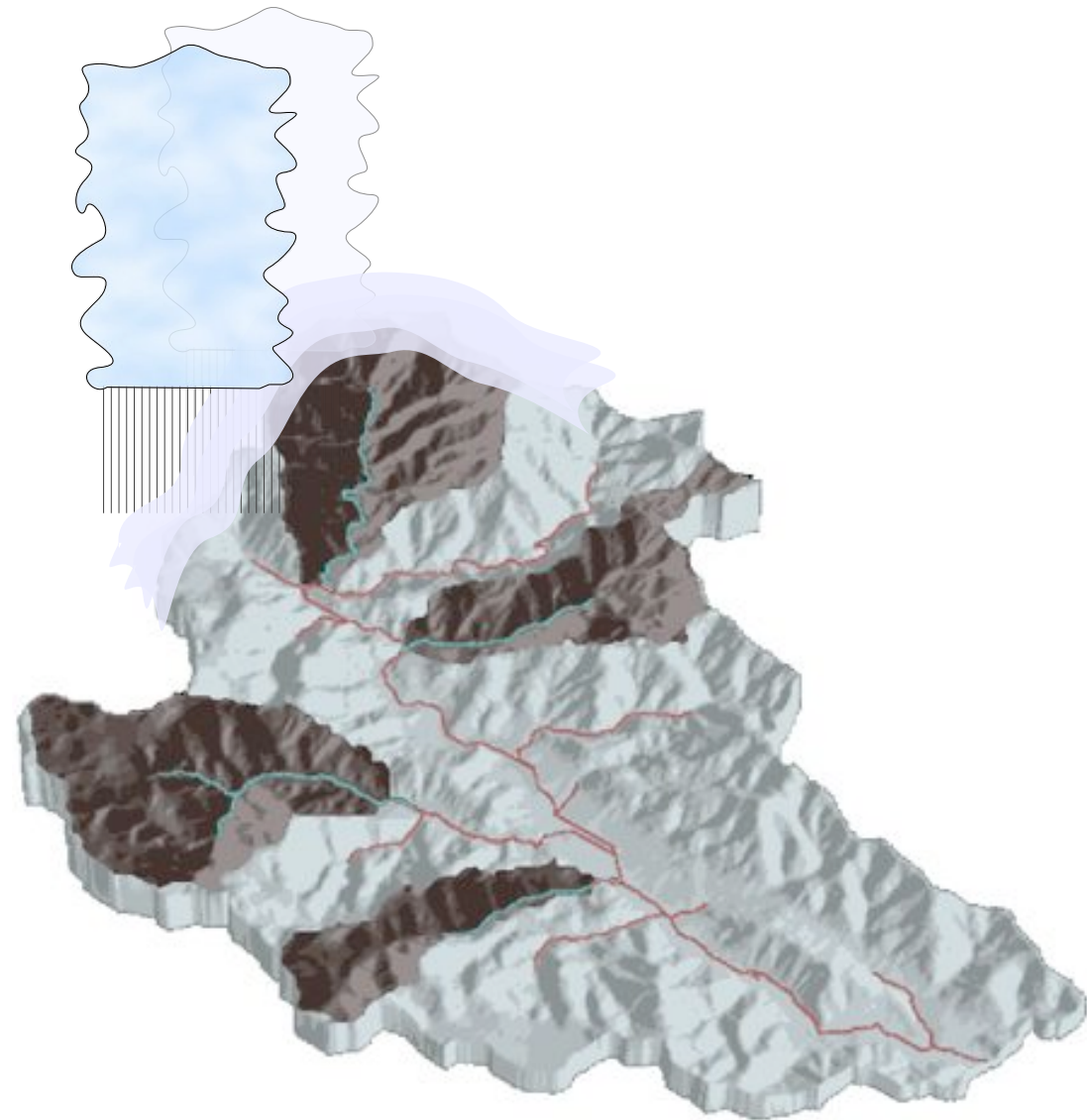
Spatial and temporal scales are related



D= 2 h

Impact of storms at various durations

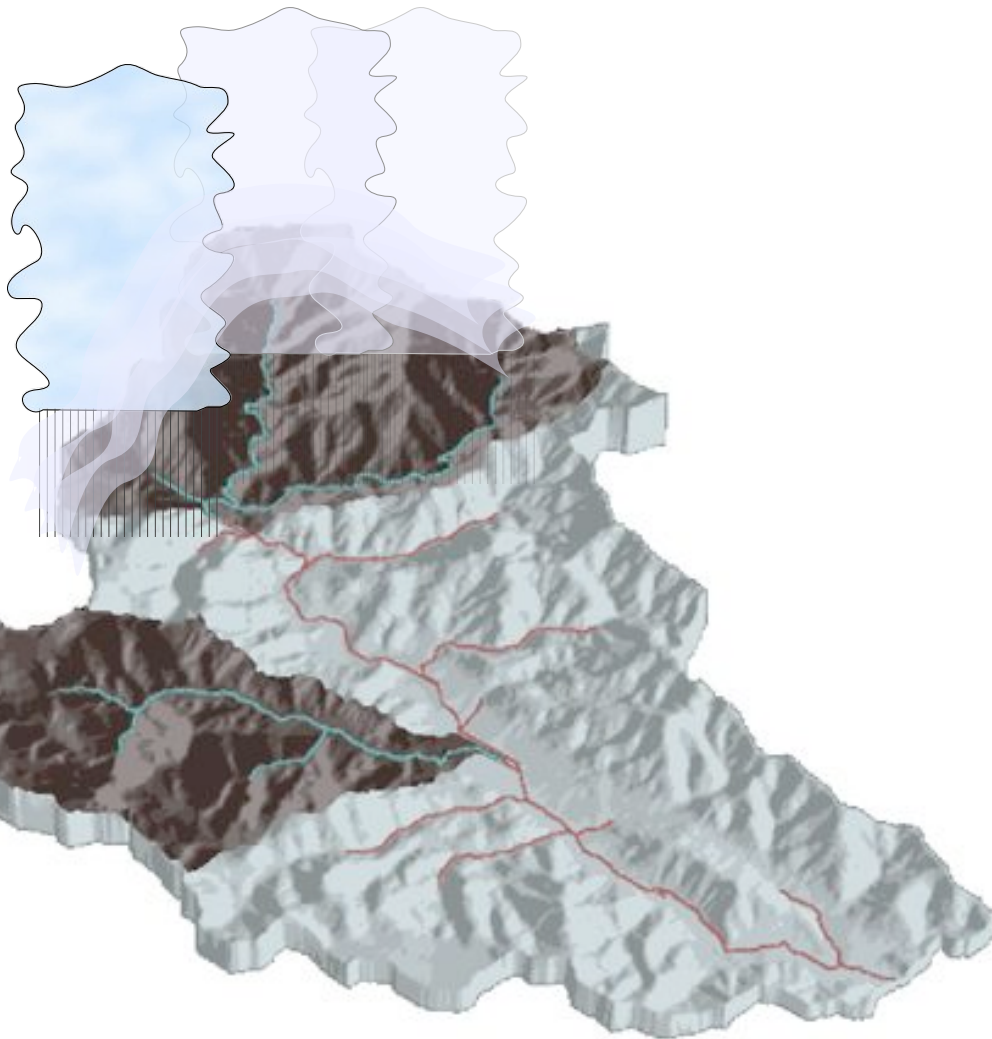
Spatial and temporal scales are related



D= 4 h

Impact of storms at various durations

Spatial and temporal scales are related



D= 8 h

Impact of storms at various durations

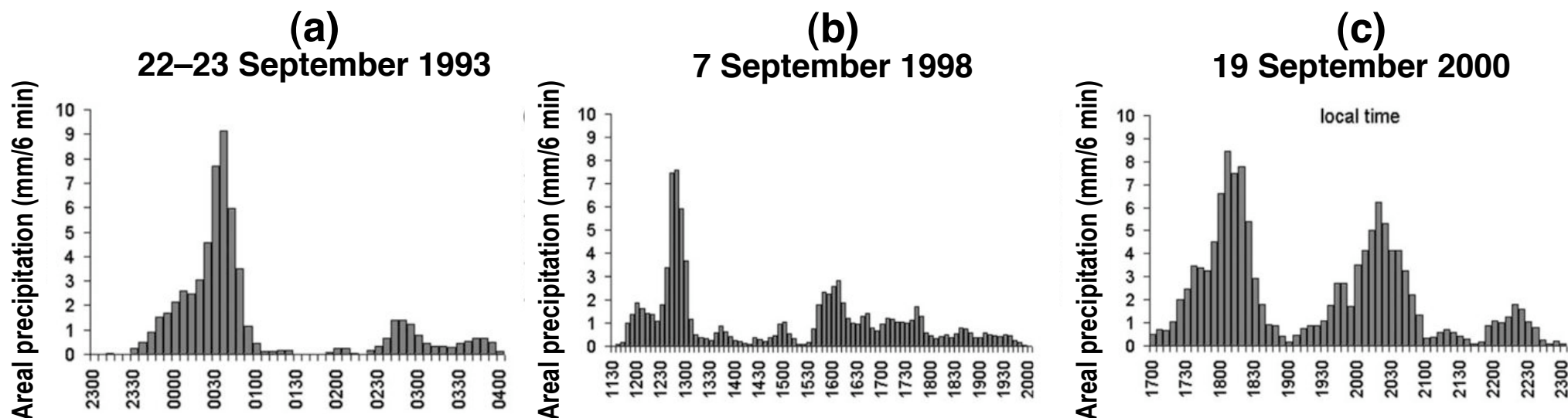
Spatial and temporal scales are related



D= 16 h

Aim of the study

HOW TO ESTIMATE THE MAGNITUDE OF RAINFALL EVENTS?

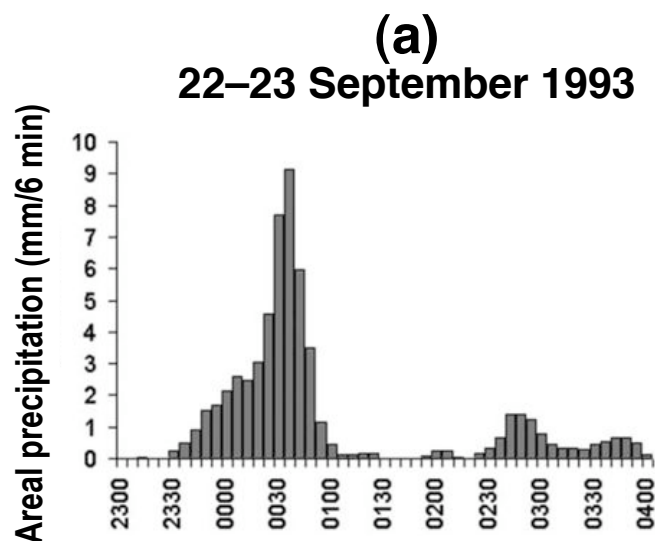


Storms over Marseille

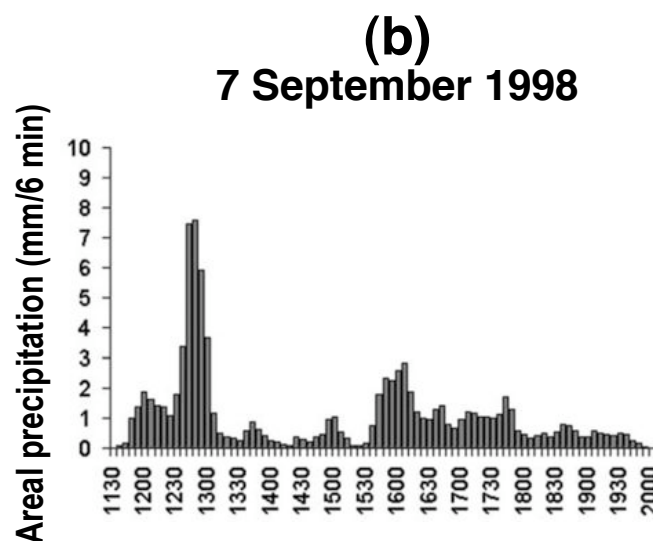
EVENT	a	b	c
Event duration (h)	5	8.5	6
Total areal rain depth (mm)	59.2	92.4	130.8
Max point rainfall (mm)	151	116	210
Max hourly intensity (mm/h)	125	62	88

Aim of the study

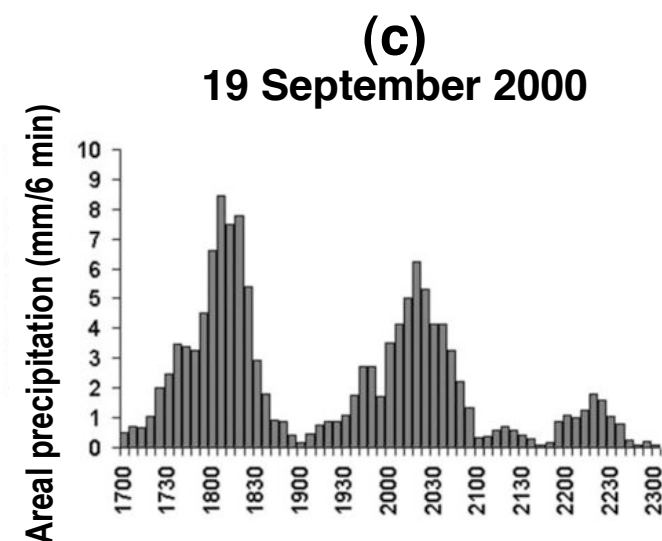
HOW TO ESTIMATE THE MAGNITUDE OF RAINFALL EVENTS?



NO DAMAGES



NO DAMAGES



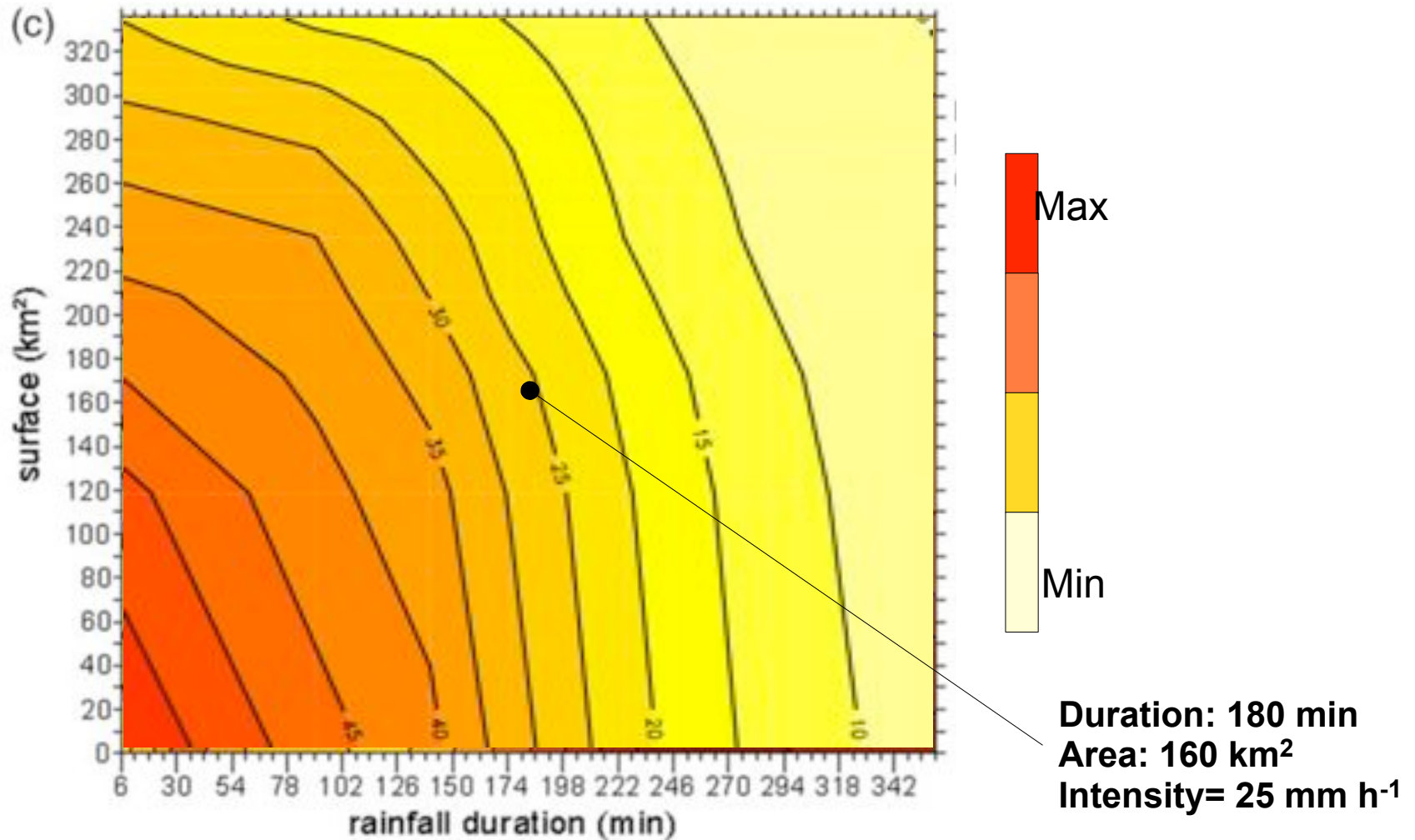
60 M€



Classic statistics are unable to detect the more dangerous event

Need of a multi-scale descriptor of storms

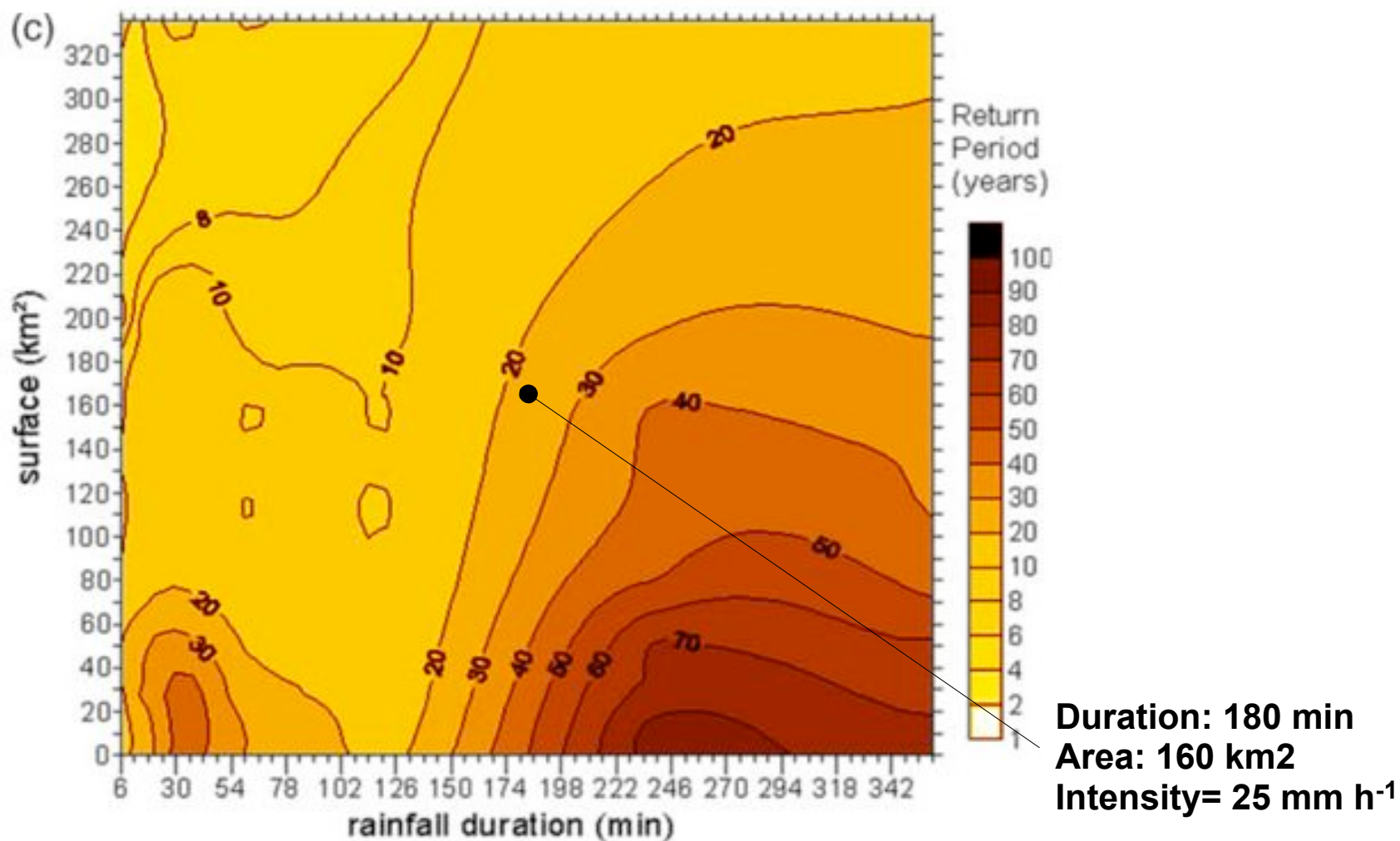
Maximum rainfall intensity



Integration Smoothing

Trivial scale pattern

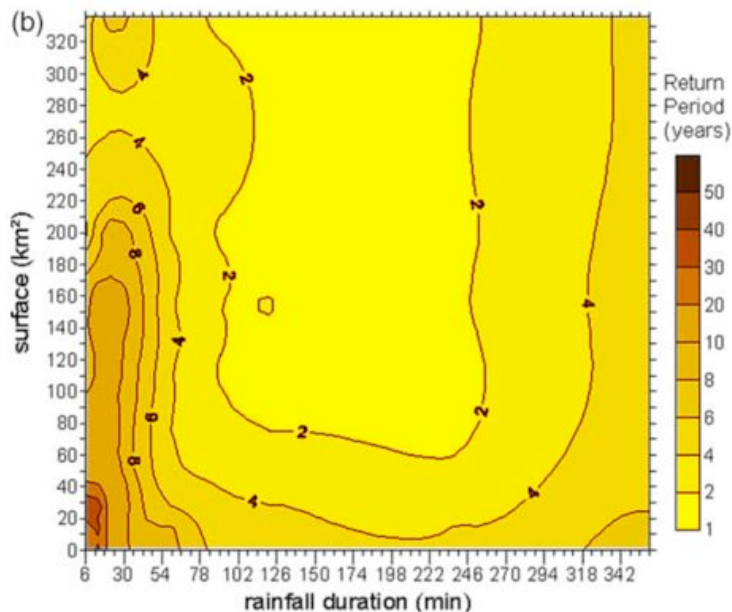
Proposition: transform max intensity into FREQUENCY



SEVERITY DIAGRAMS: Event magnitude at all scales

Severity diagrams: a storm comparison tool

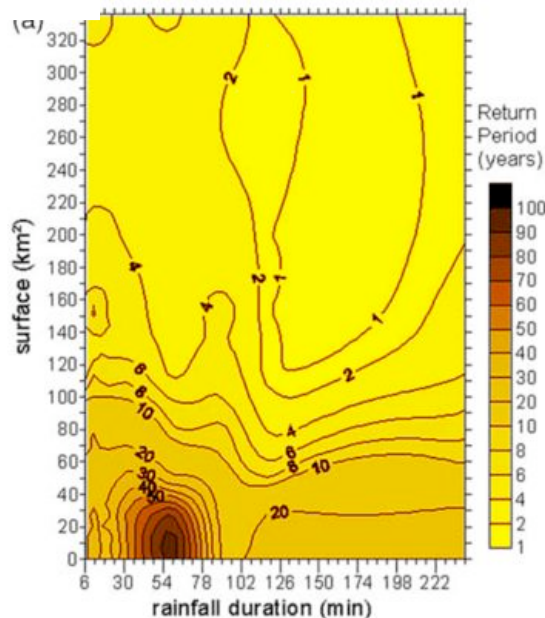
(a)
22–23 September 1993



Weak event

NO DANGER

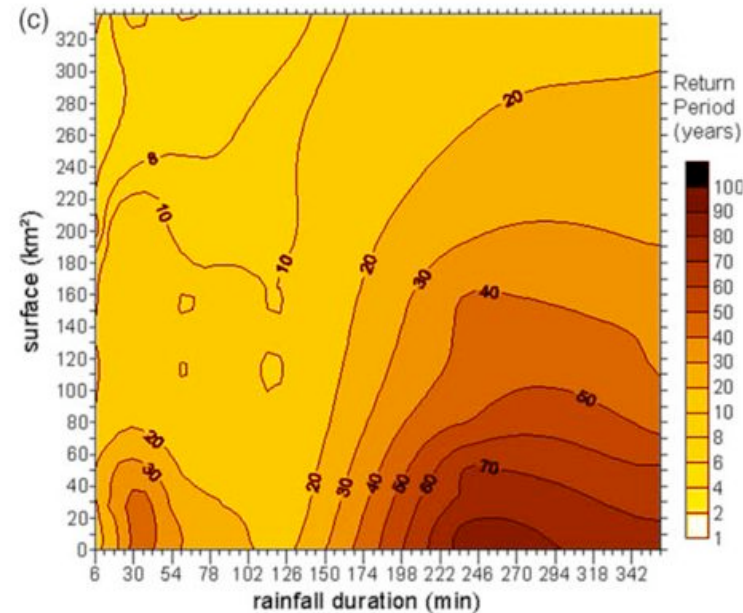
(b)
7 September 1998



Local event

LIMITED DANGER



(c)
19 September 2000



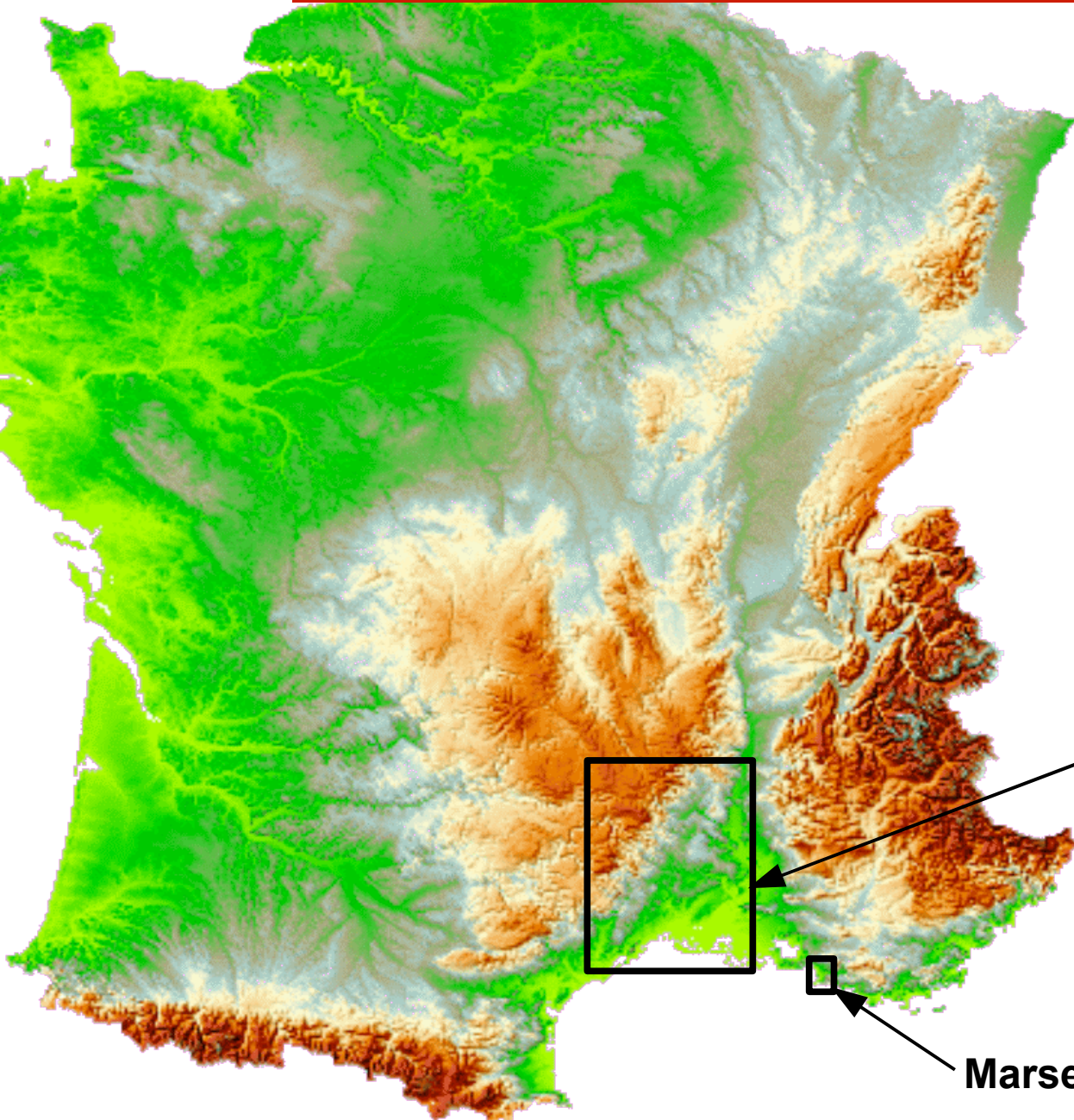
Heavy and extended event

DANGER

Improvements proposed in the thesis

	BEFORE	AFTER
Size of the region	250 km ²	32000 km ²
Involved events	Urban f oods	Flash-f oods
Regional model		
Point rainfall extremes	EMPIRICAL	SCALE-INVARIANT MODEL
Spatial rainfall extremes	EMPIRICAL	SPACE-TIME MODEL

Improvements proposed in the thesis



A larger region

Take into account
spatial heterogeneity

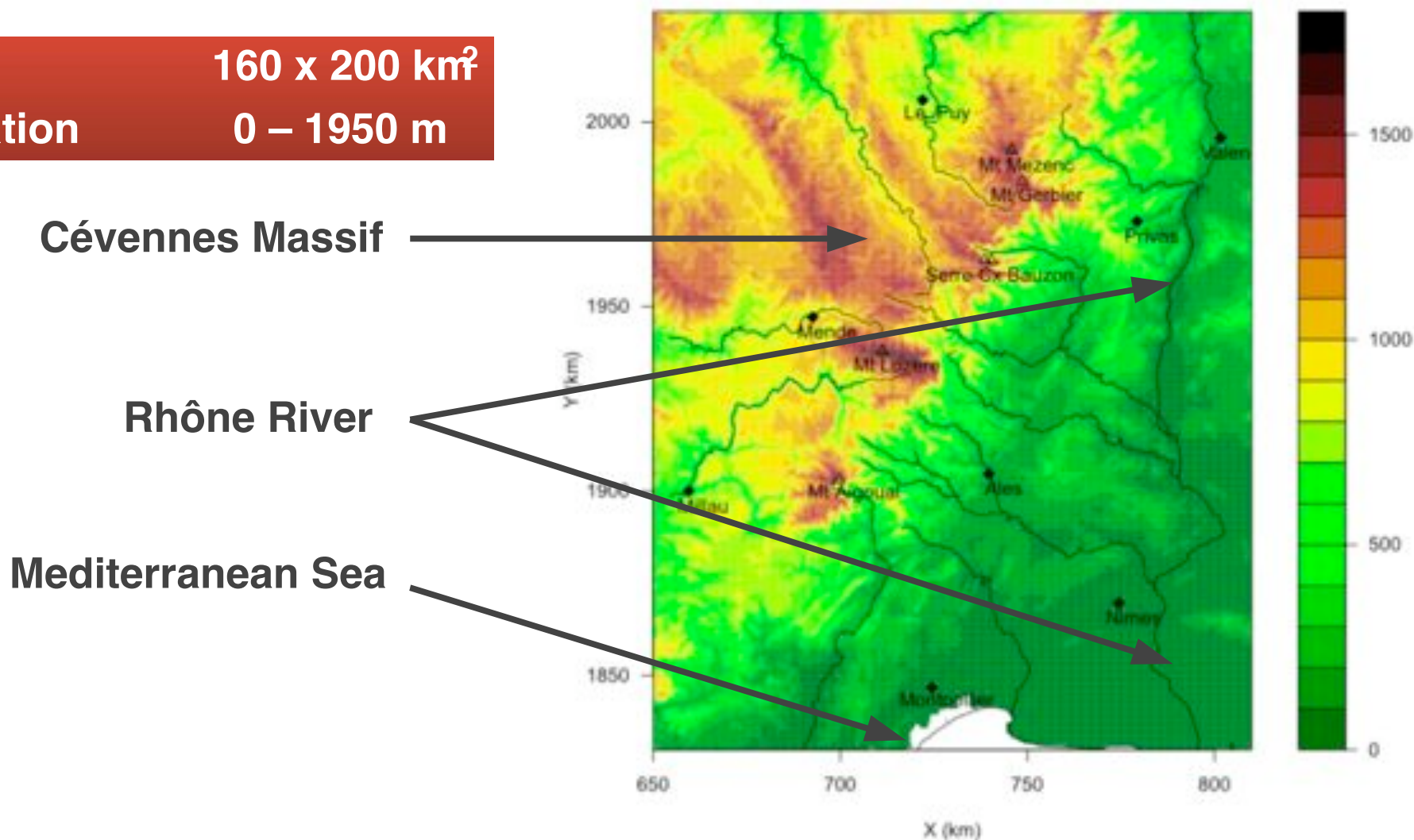
Cévennes-Vivarais
Hydro-Météorological Observatory
Area: 32000 km²

Marseille area: 250 km²

Geographical context

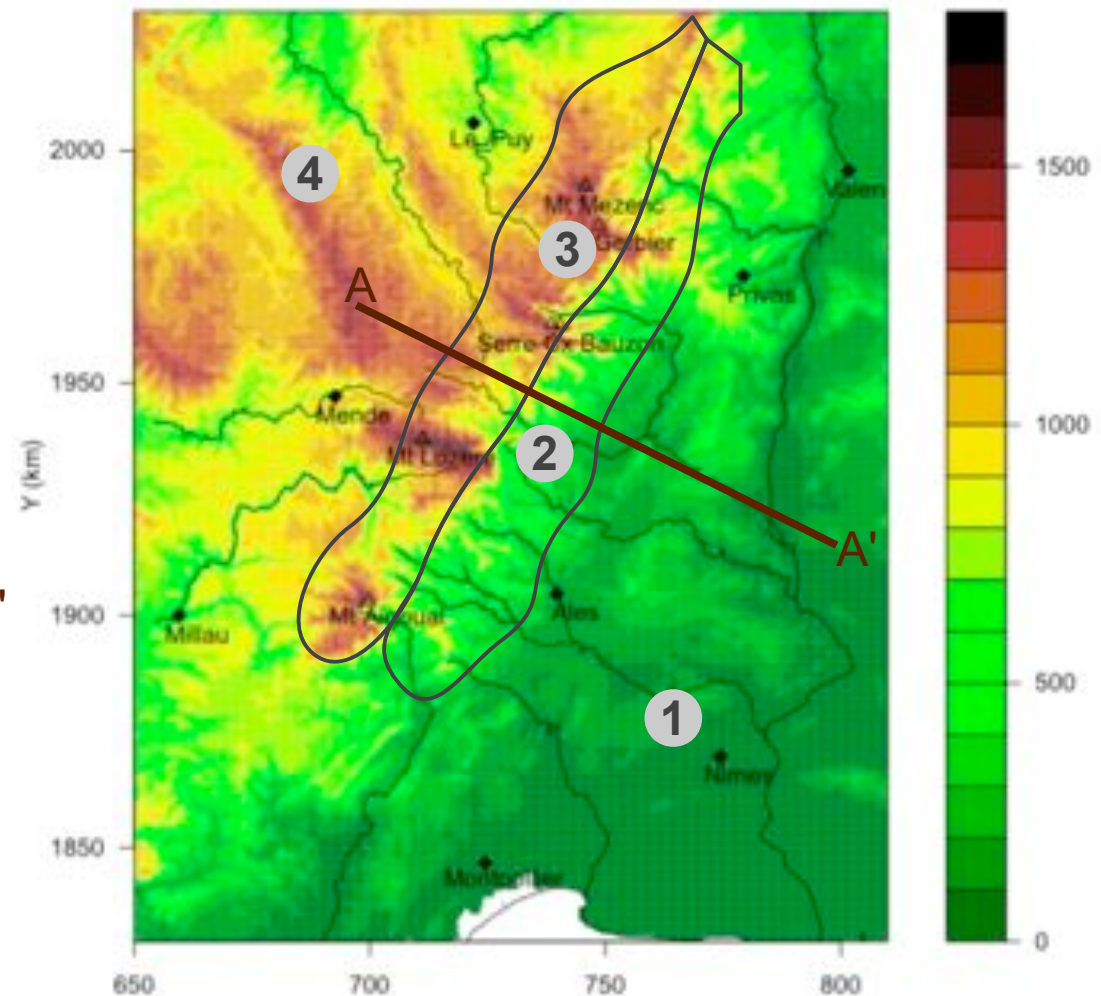
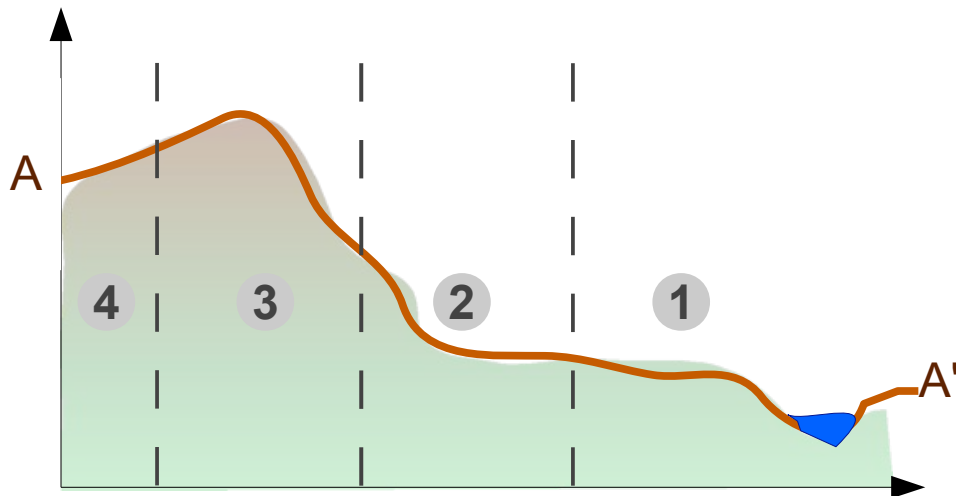
Cévennes-Vivarais région

Size 160 x 200 km²
Elevation 0 – 1950 m



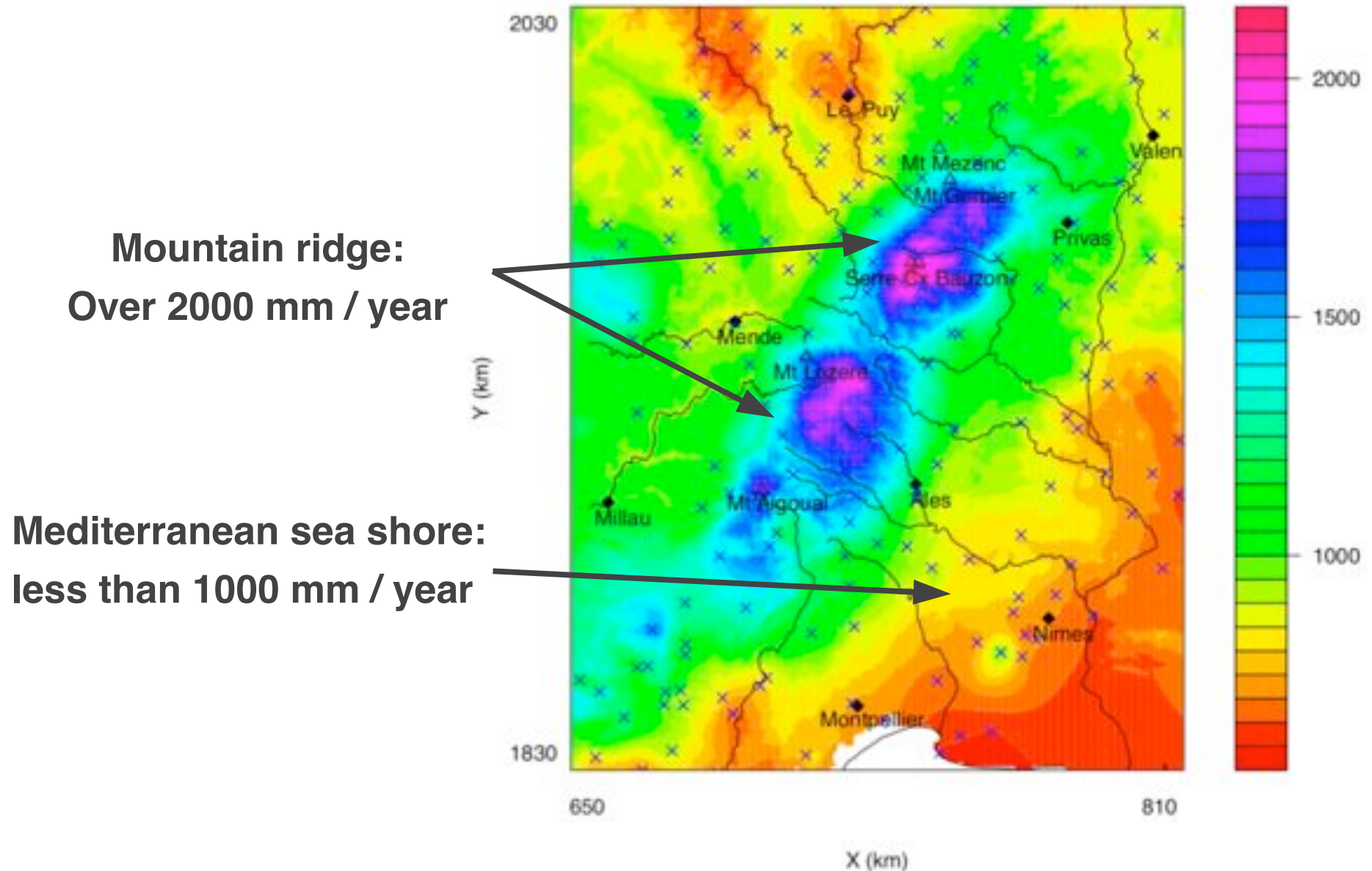
Geographical context

Cévennes-Vivarais région



The region gathers four types of lands: 1, a SE oriented foothill 2, a mountain ridge 3 and a plateau 4.

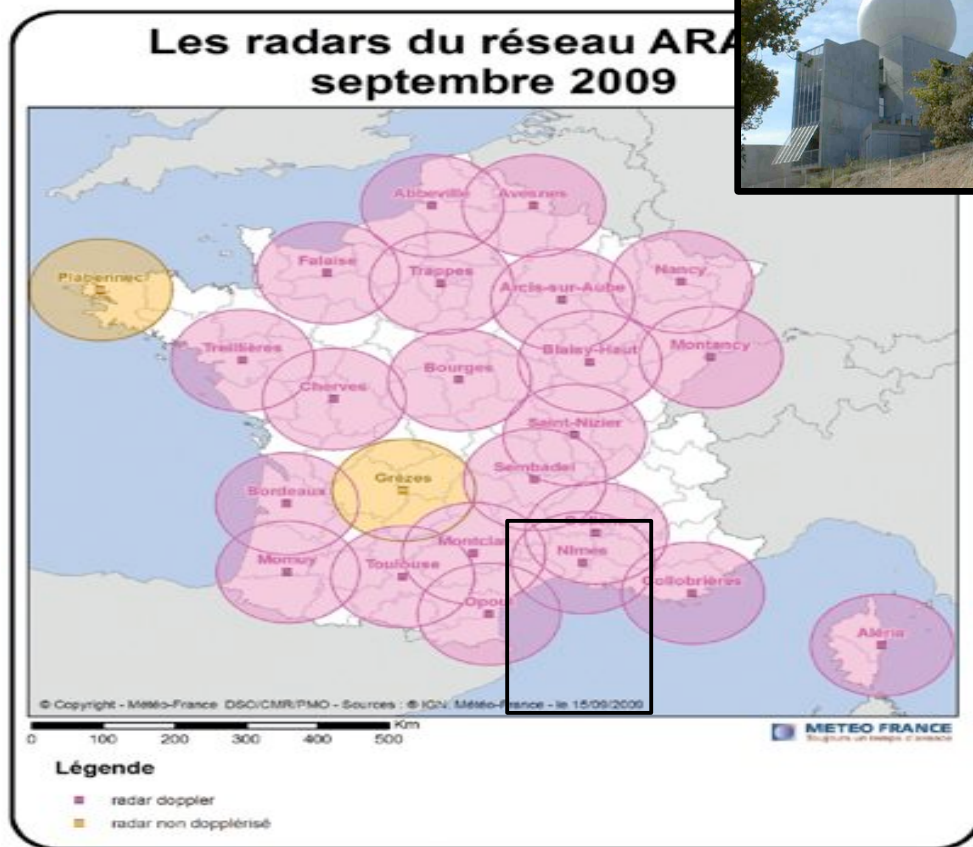
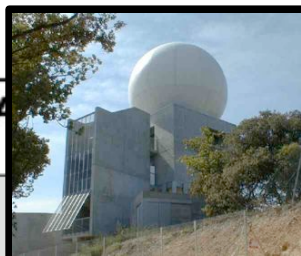
Climatic features: average annual rainfall (mm)



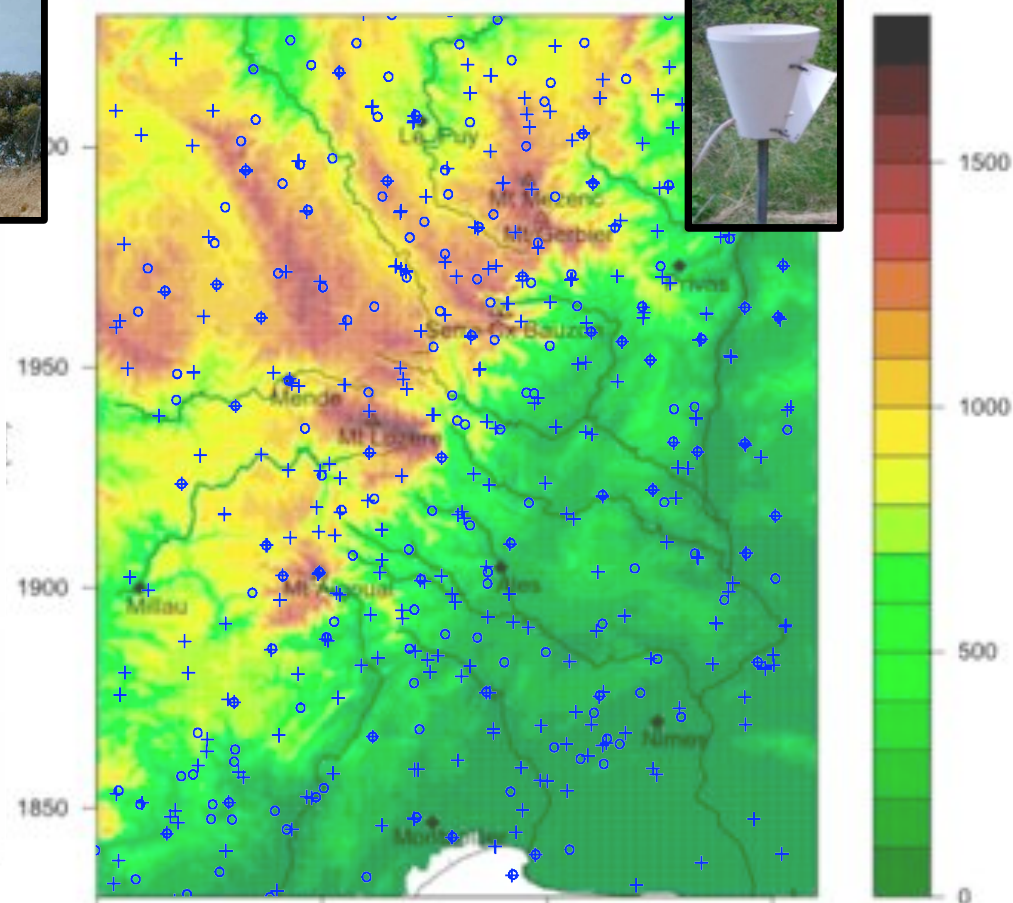
Measurement network

OHM-CV: Cévennes- Vivarais Hydro-Meteorological Observatory

Radar ARAMIS network



Rain gauge network



Hourly (150 gauges, 1993-2008) +

Daily (225 gages, 1958-2000) ○

OHM-CV: one of the Europe densest rain gauge networks (1/50 km²)

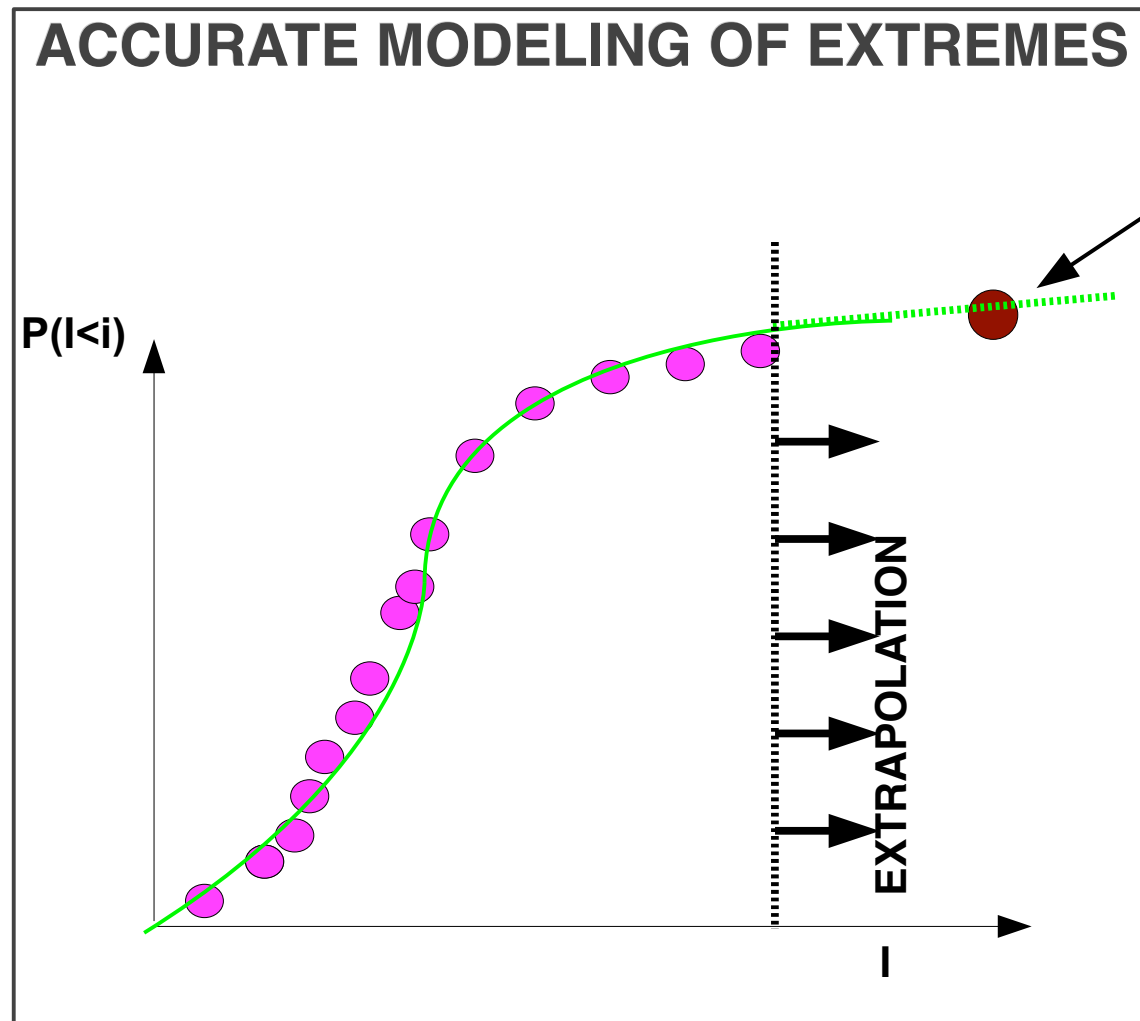
PART II



**METHODOLOGICAL
DEVELOPMENT**

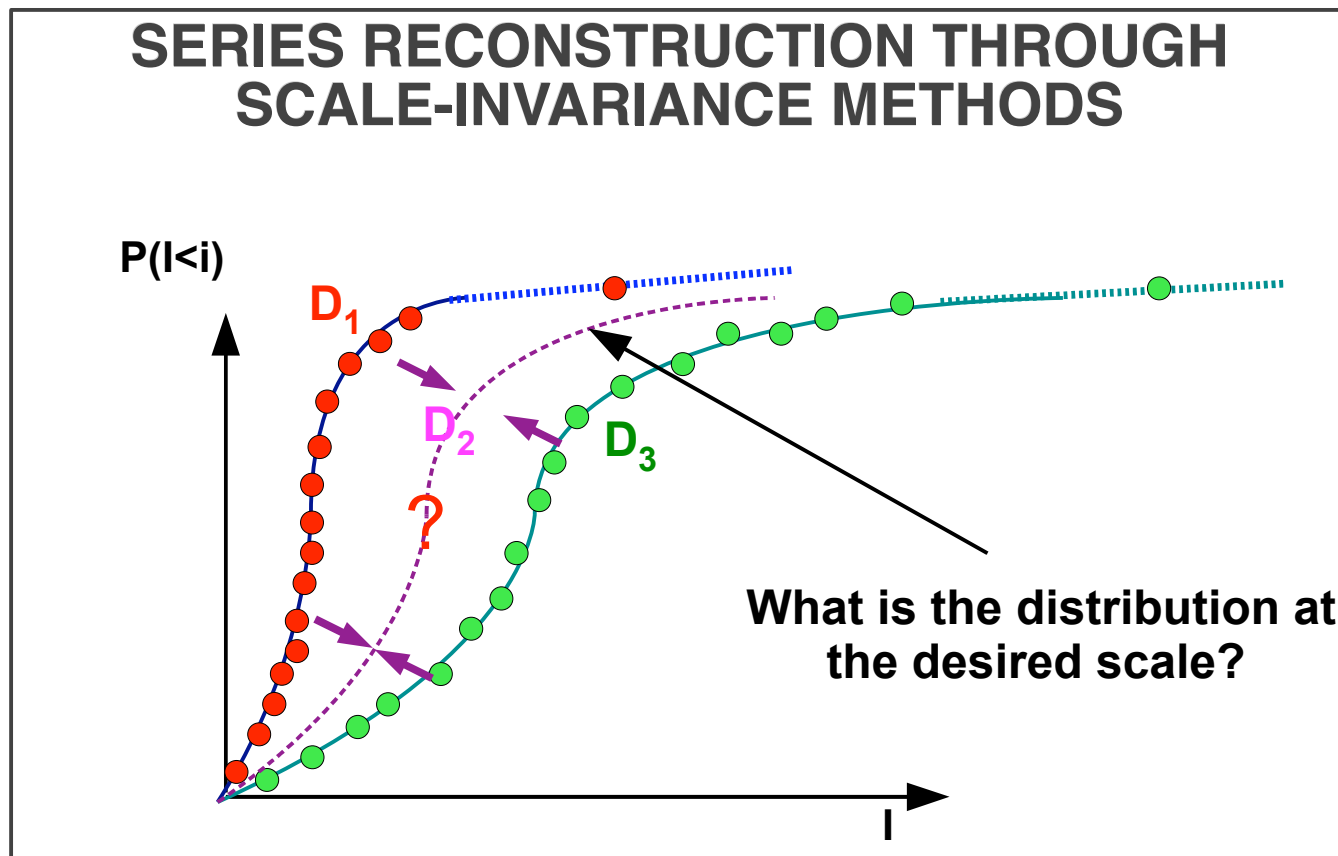
For a reliable magnitude estimation

GAUGED SCALES: long records available



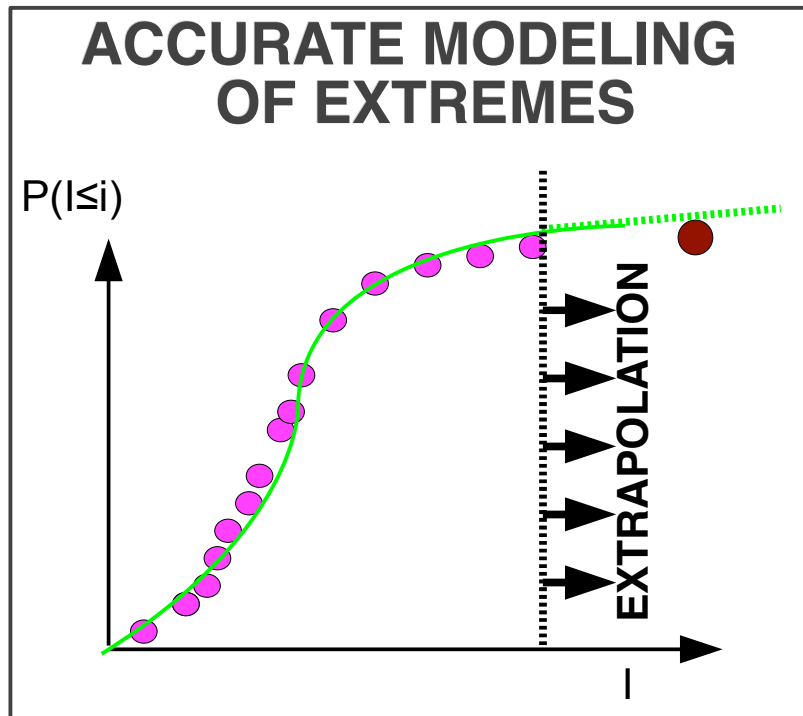
For a reliable magnitude estimation

UNGAUGED SCALES: no measurements at the desired scale

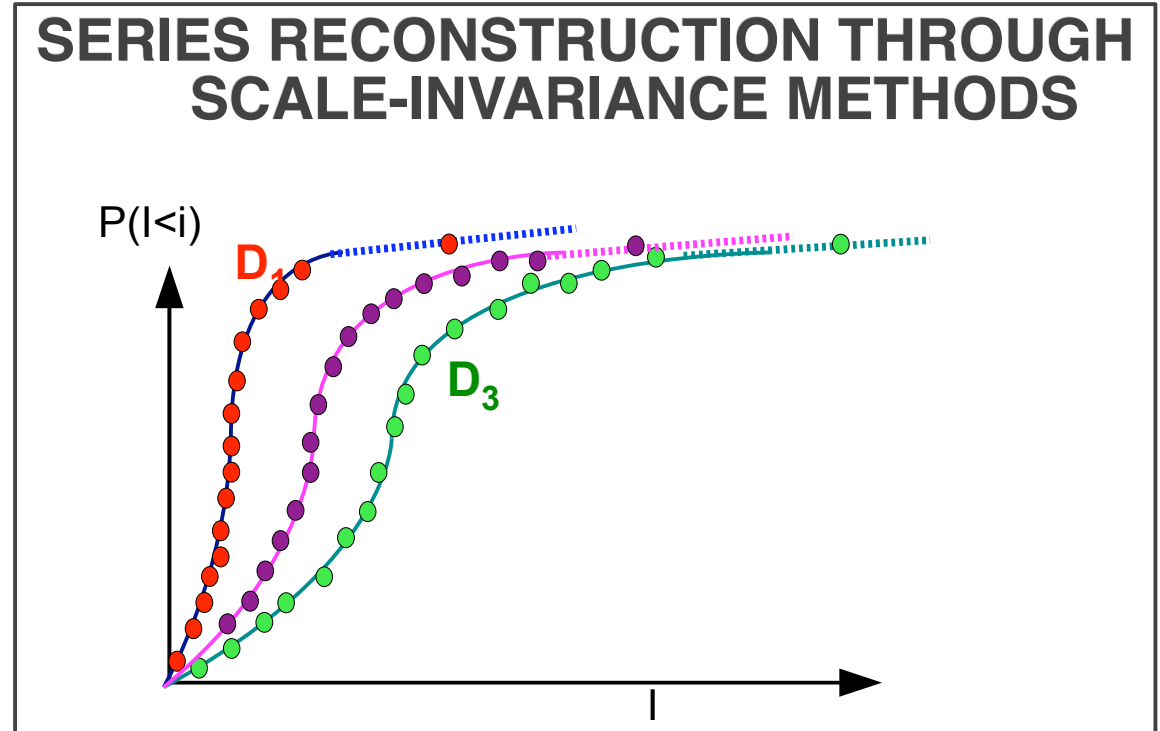


For a reliable magnitude estimation

GAGED SCALES



UNGAGED SCALES

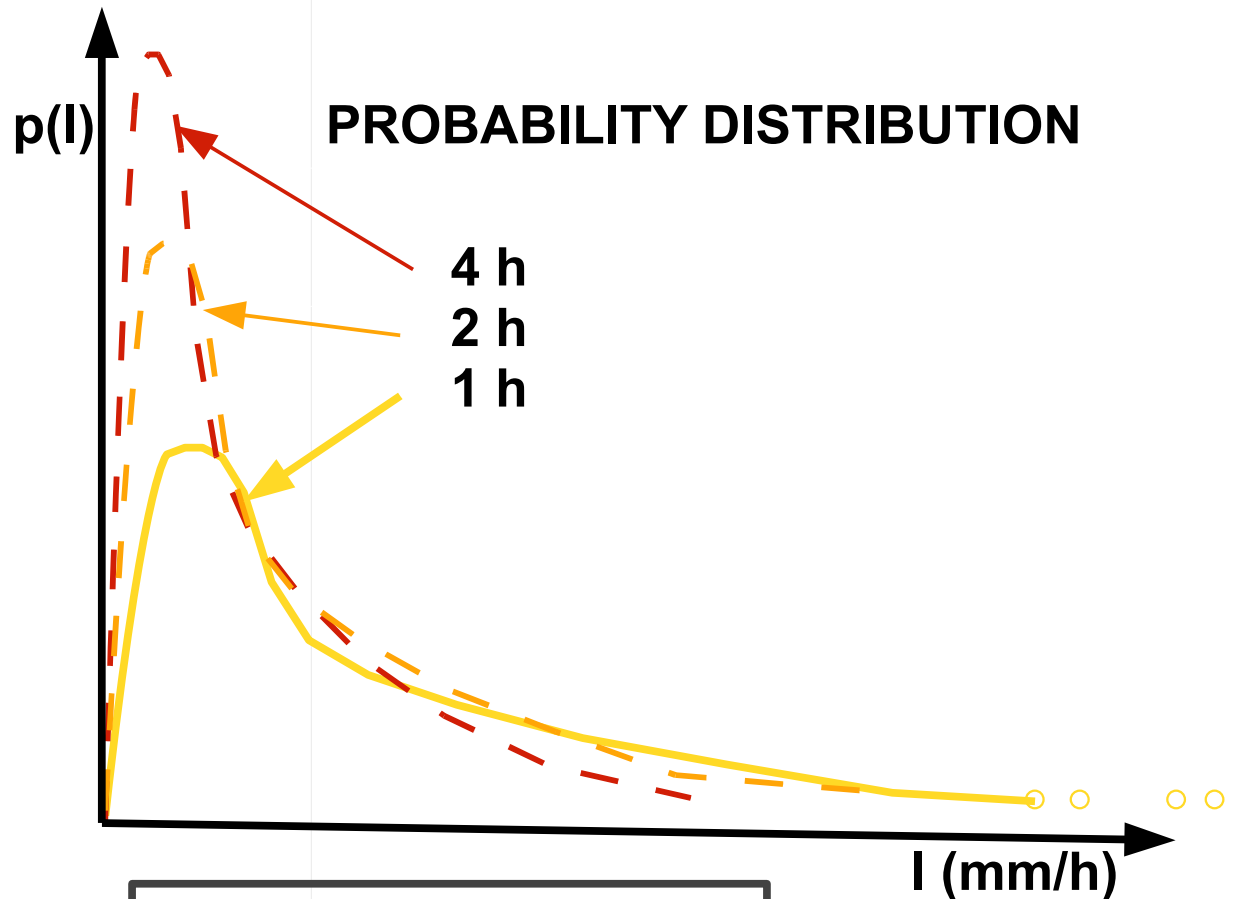
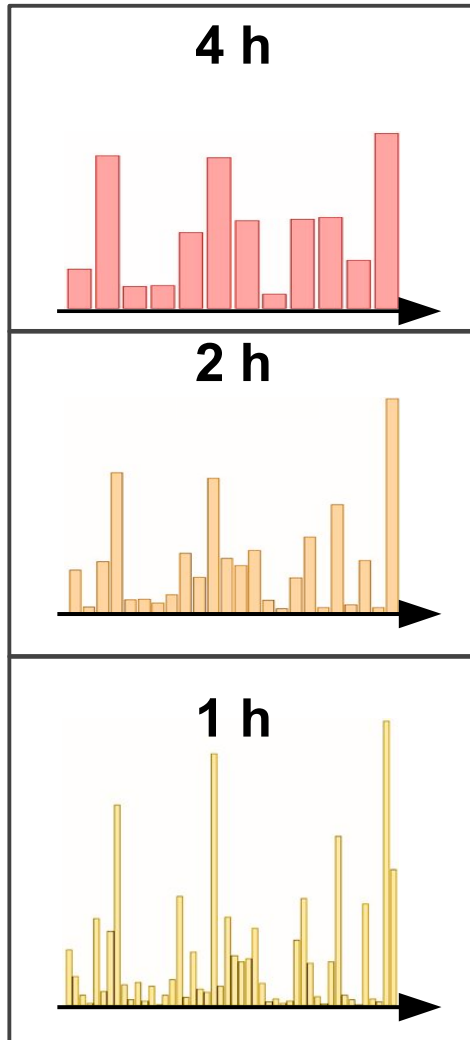


ROBUST MODELING OF EXTREMES AT VARIOUS SCALES

Dealing with ungauged scales: SCALING

SCALING OF A PROCESS

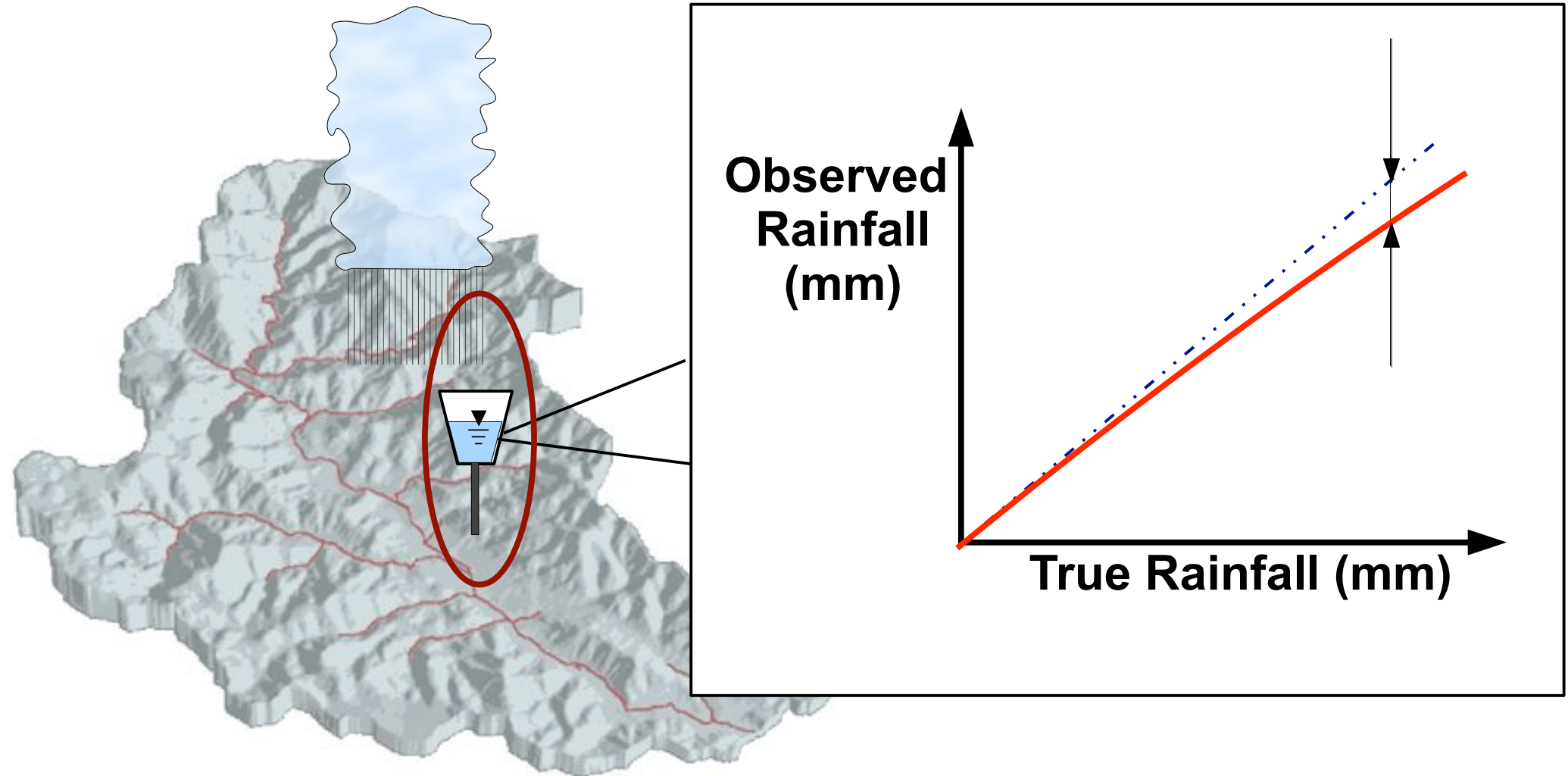
relation between probability distributions of a process at different scales



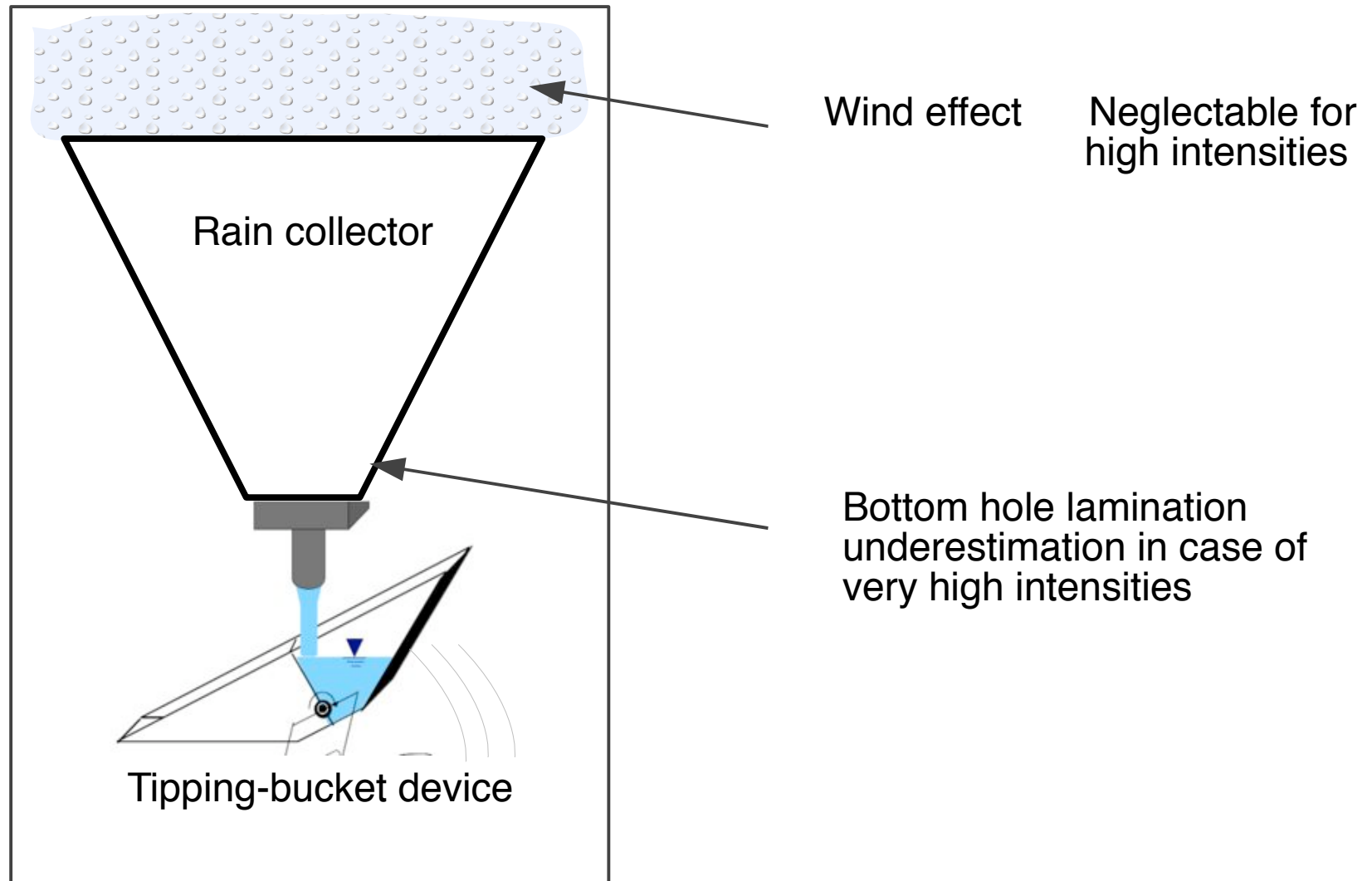
$$P(I_\lambda) \stackrel{d}{=} \lambda^c P(I_1)$$

Scale invariance of pdfs

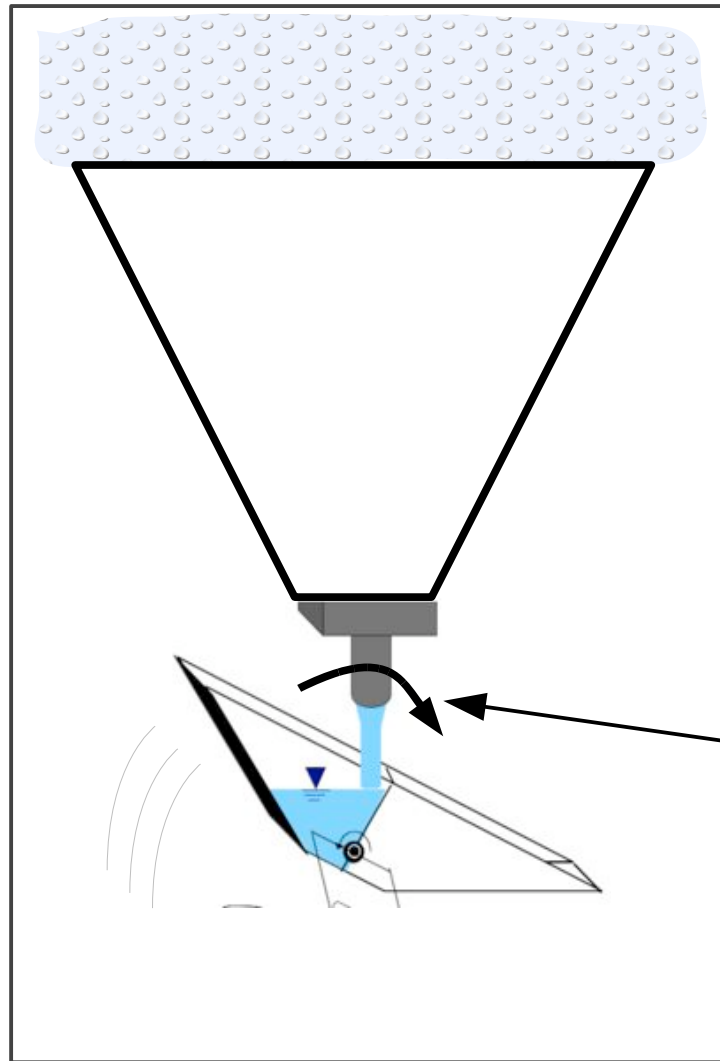
Prerequisite: Evaluation of rain gauge uncertainties



Evaluation of rain gauge uncertainties



Evaluation of rain gauge uncertainties



Reversal time:
~ 0.2 s in which no water is stored

- **Experimental calibration**
- **Numerical Simulation**

Heavy rainfall

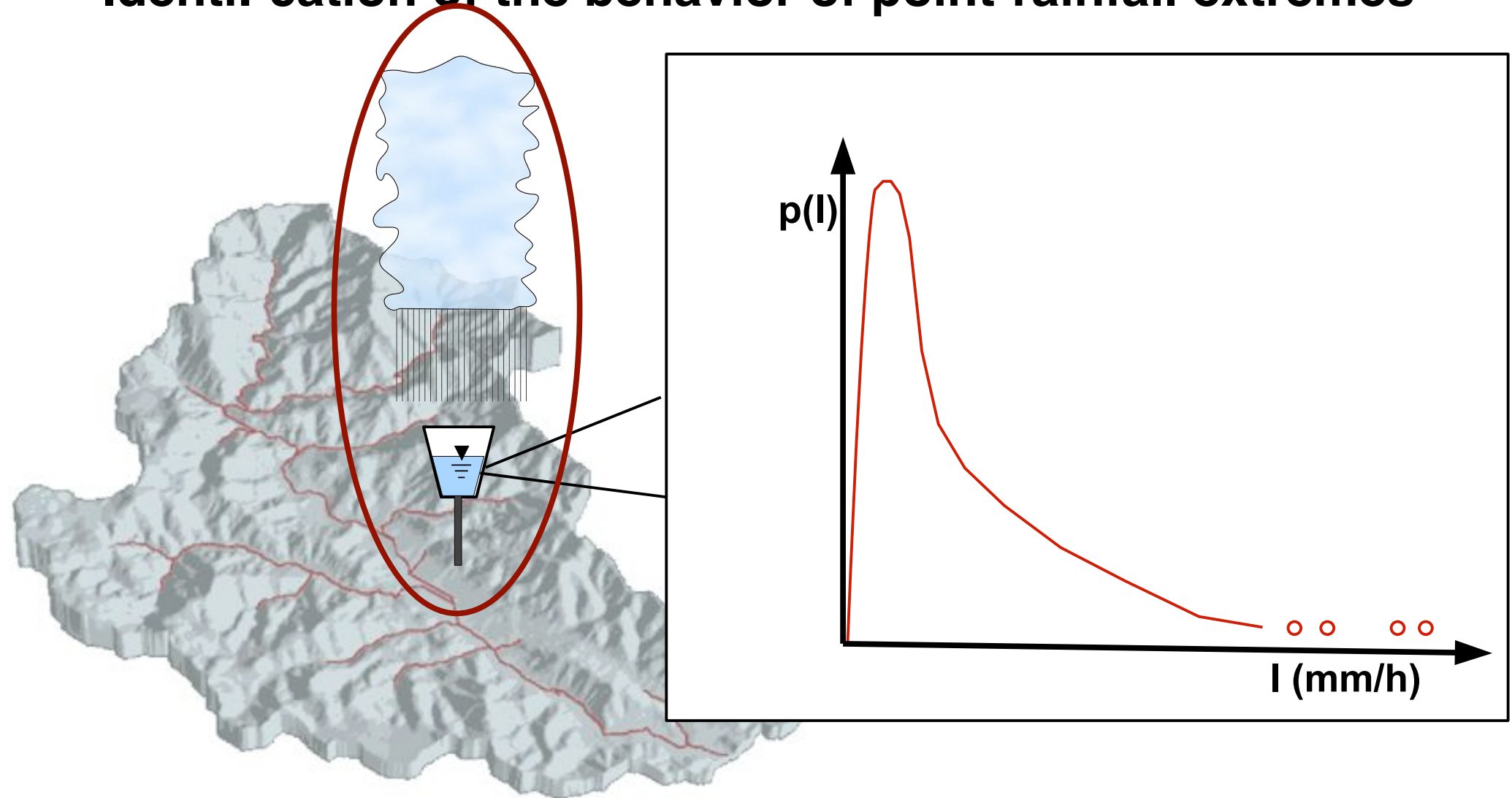
**Underestimation: 5-10% 5-min rainfall
2-5 % hourly rainfall**

Tails behavior

Point rainfall model

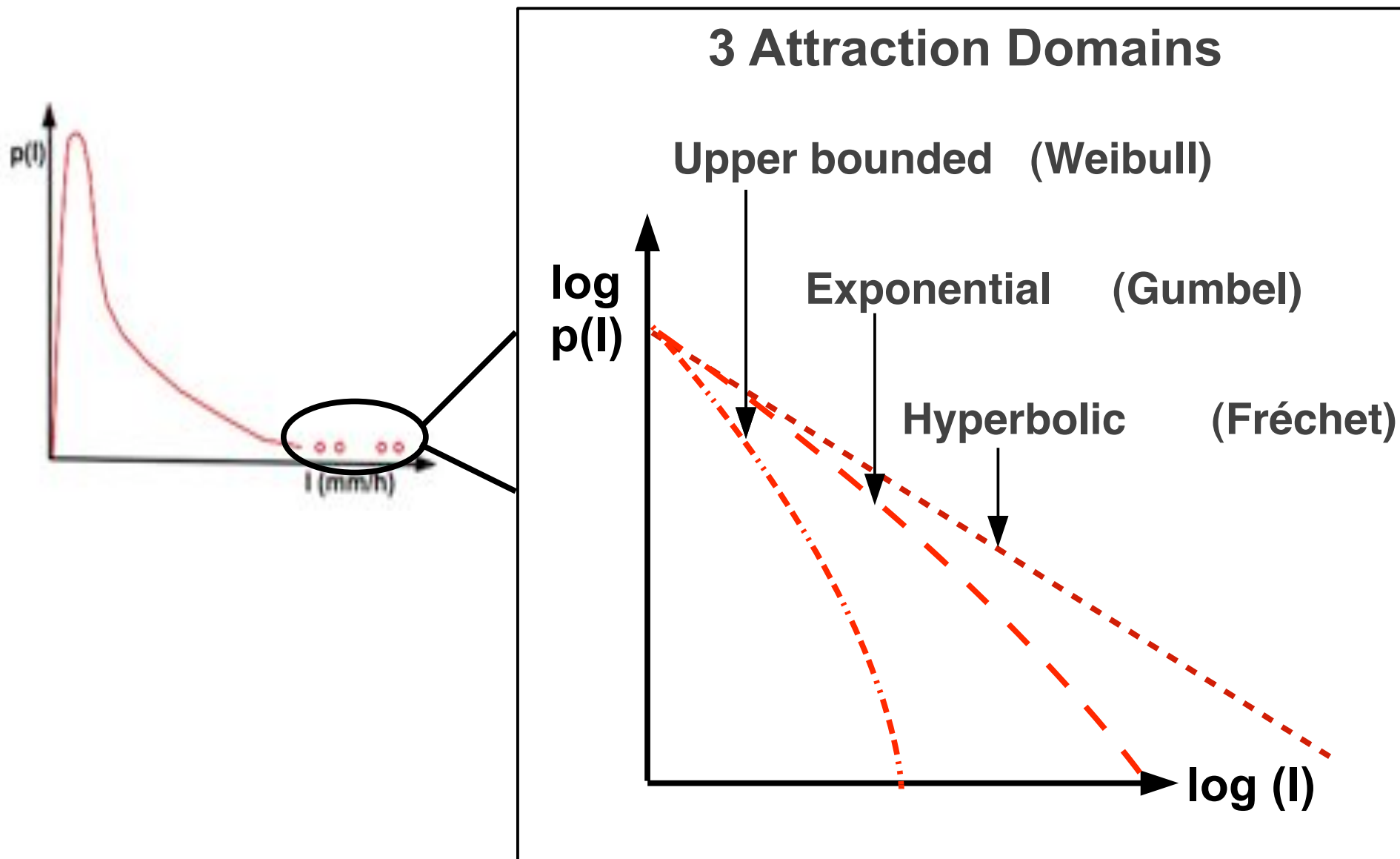
Spatial rainfall model

Identification of the behavior of point-rainfall extremes



Tails behavior — **Point rainfall model** — **Spatial rainfall model**

Open question: how are the distribution tails of rainfall?



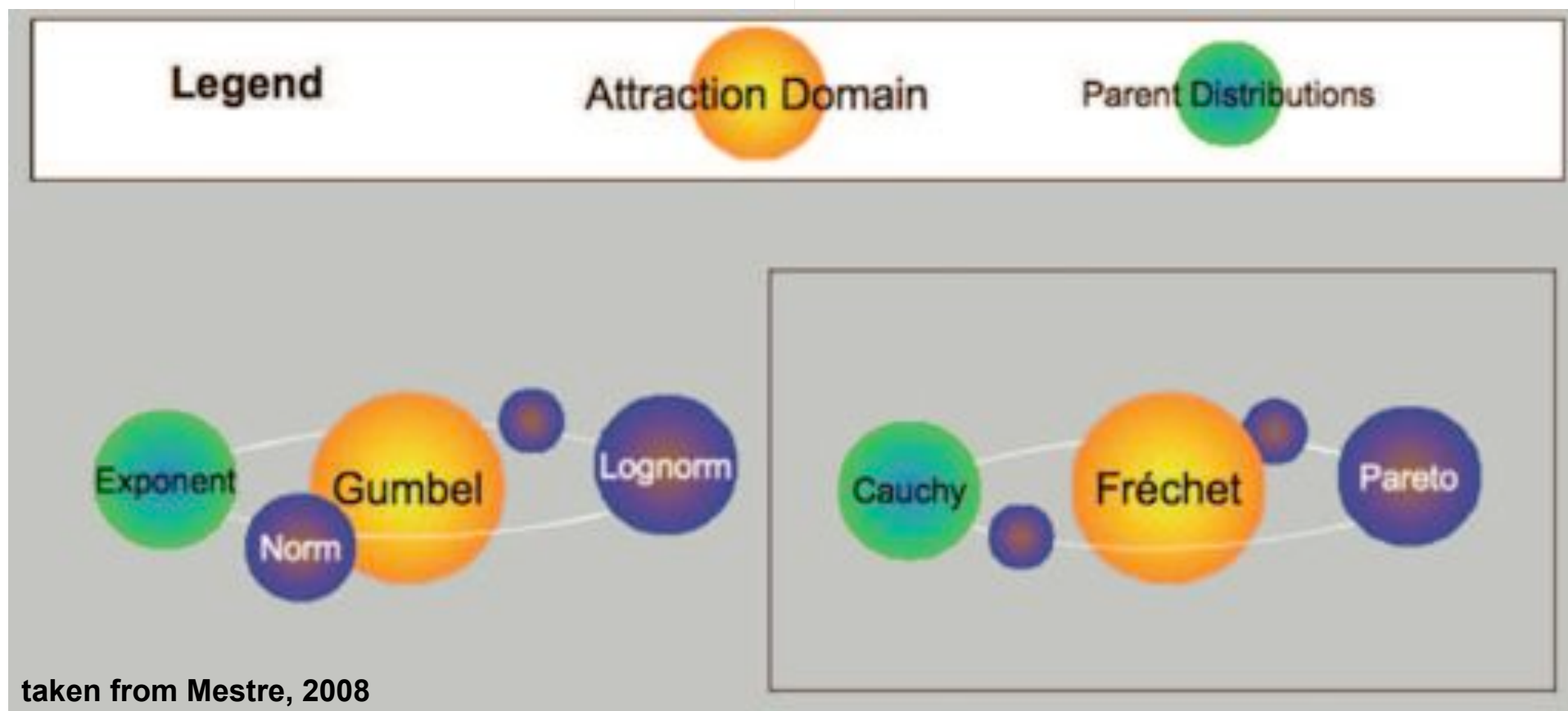
Tails behavior

Point rainfall model

Spatial rainfall model

One has 3 possibilities:

- 1) Extract Maxima
 - 2) Peaks over Threshold
 - 3) Work on distributions
- } Reduce sample size



Tails behavior

Point rainfall model

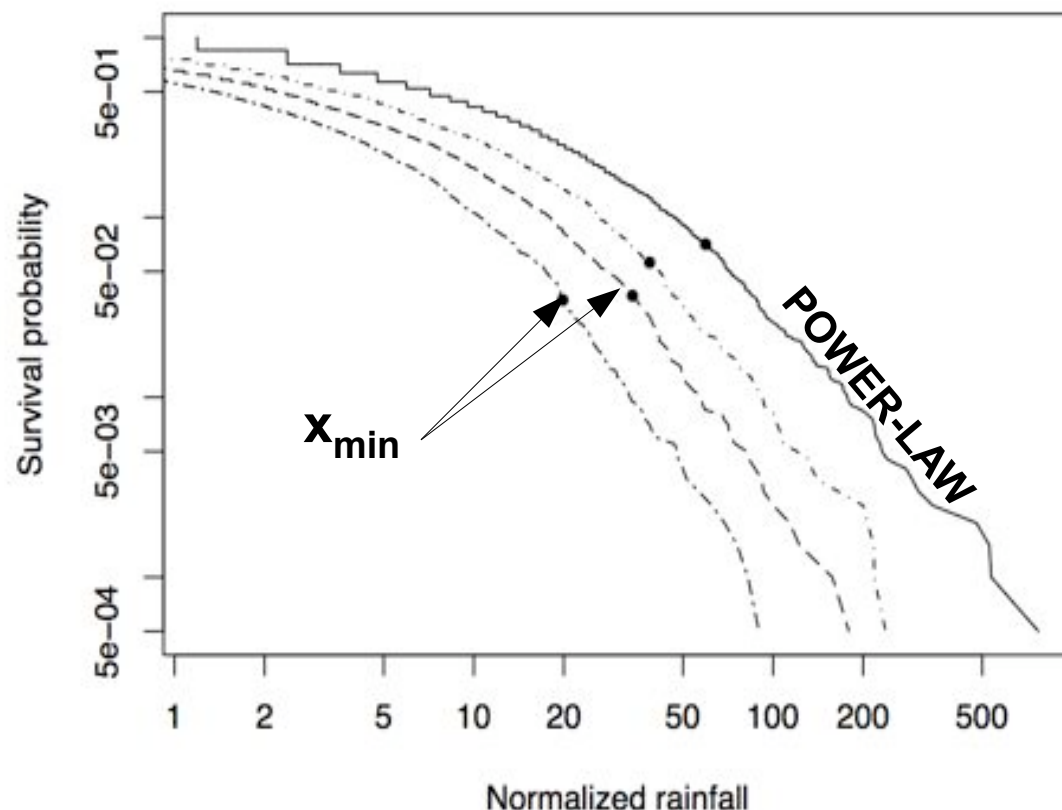
Spatial rainfall model

At various duration --> tail behavior of point rainfall series

Rigorous method

- K-S test for lower bound x_{\min}
- Estimator for power-law slope

Goldstein et al, 2004, Clauset et al., 2007



Straight line in log-log

Power-law

Fréchet distribution

Tails behavior

Point rainfall model

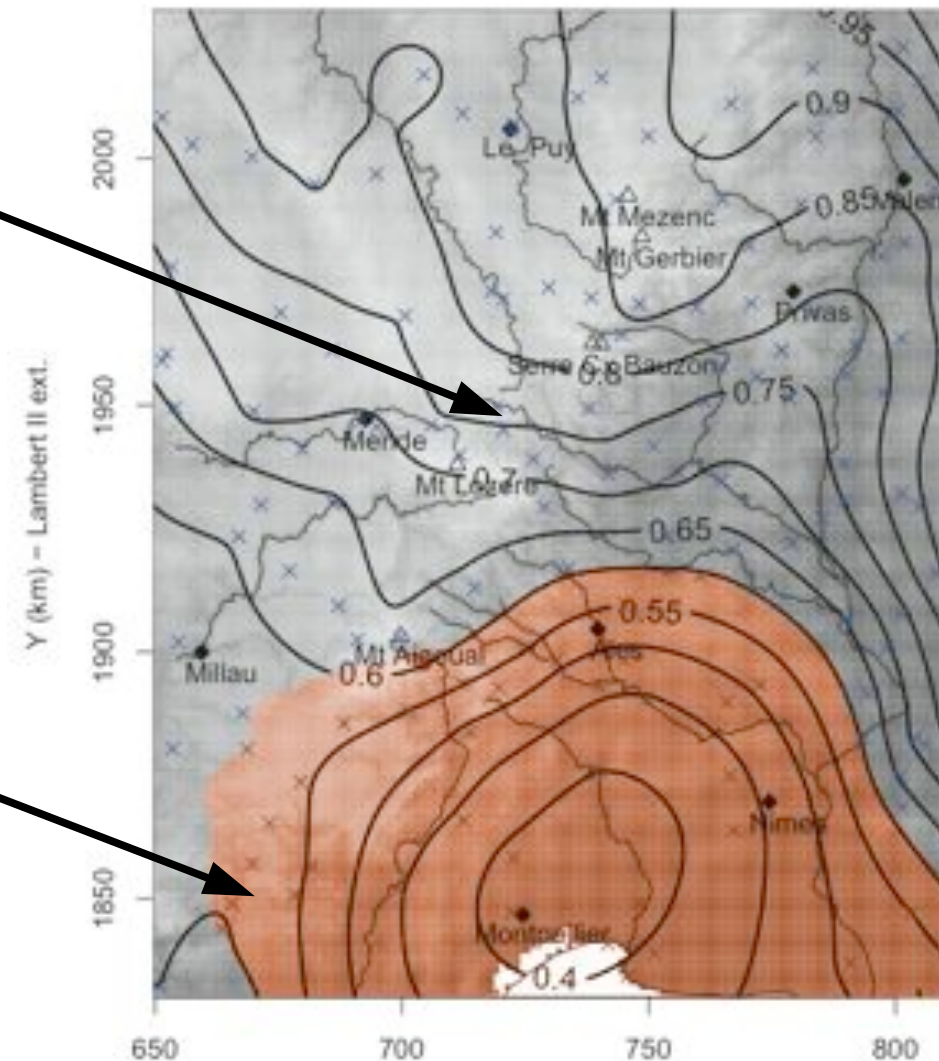
Spatial rainfall model

Mountainous region

Gumbel

Flat lands

Fréchet



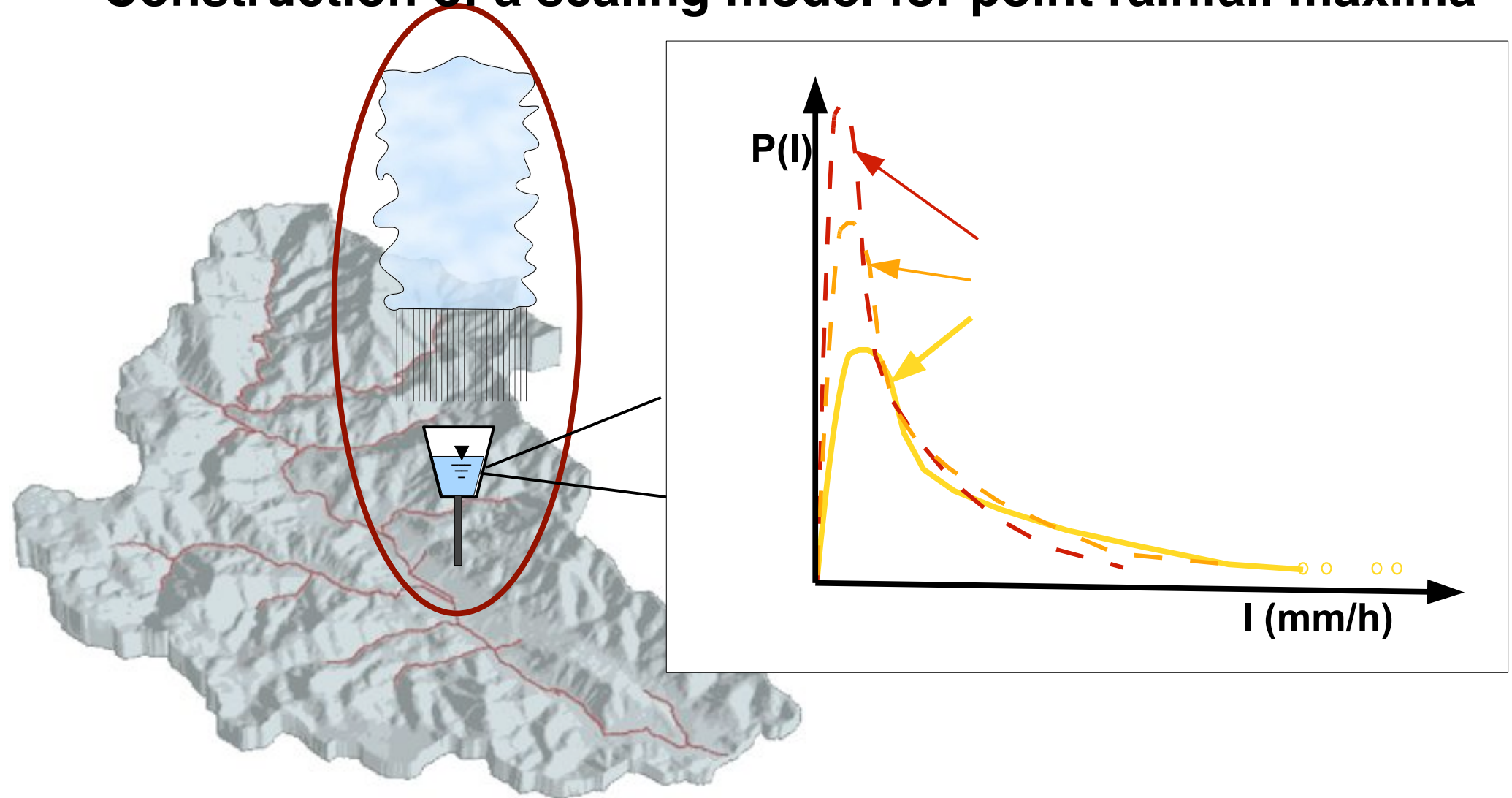
DUAL BEHAVIOR: Need of a GENERALIZED model for EXTREMES

Tails behavior

Point rainfall model

Spatial rainfall model

Construction of a scaling model for point rainfall maxima

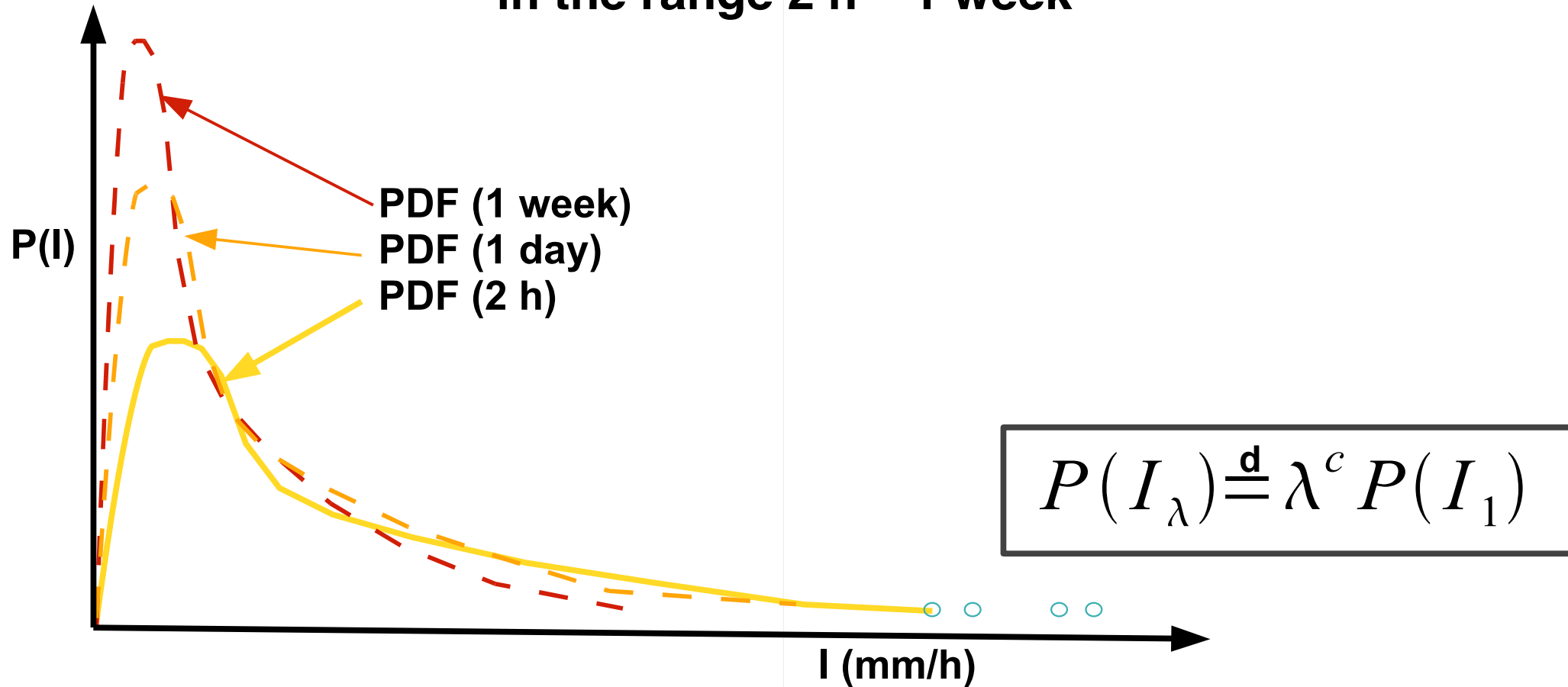


Tails behavior

Point rainfall model

Spatial rainfall model

**Annual Maxima Distribution is scale-invariant
in the range 2 h – 1 week**



Menabde et al, 1999
Veneziano et Furcolo, 2002

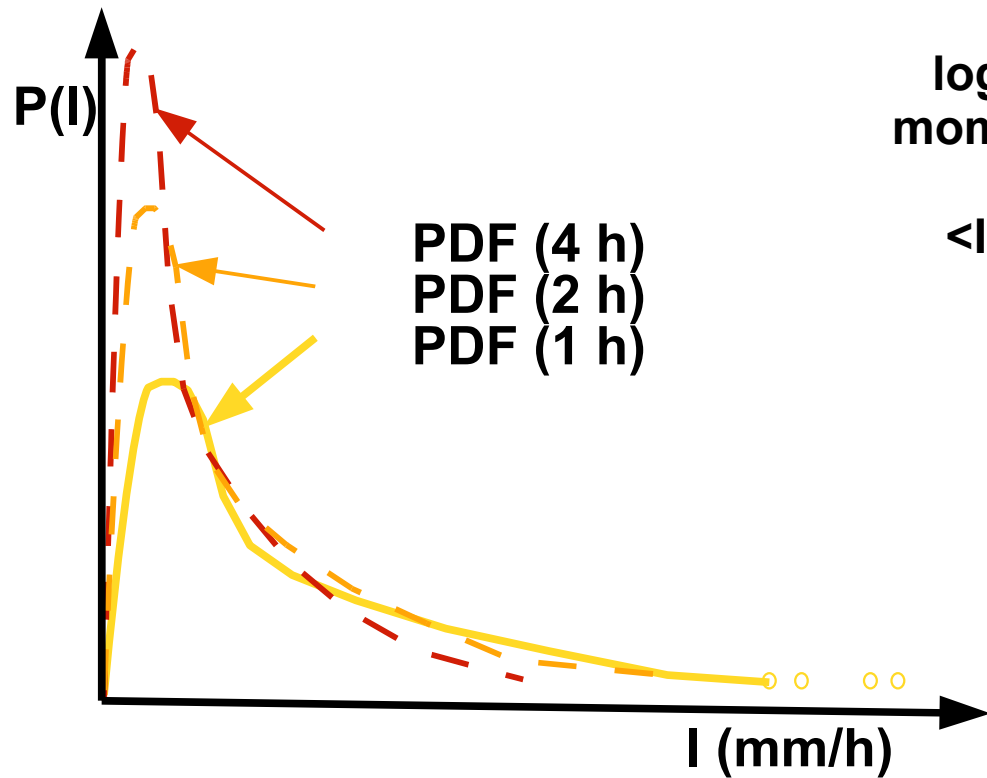
Tails behavior

Point rainfall model

Spatial rainfall model

PROBABILITY DISTRIBUTION

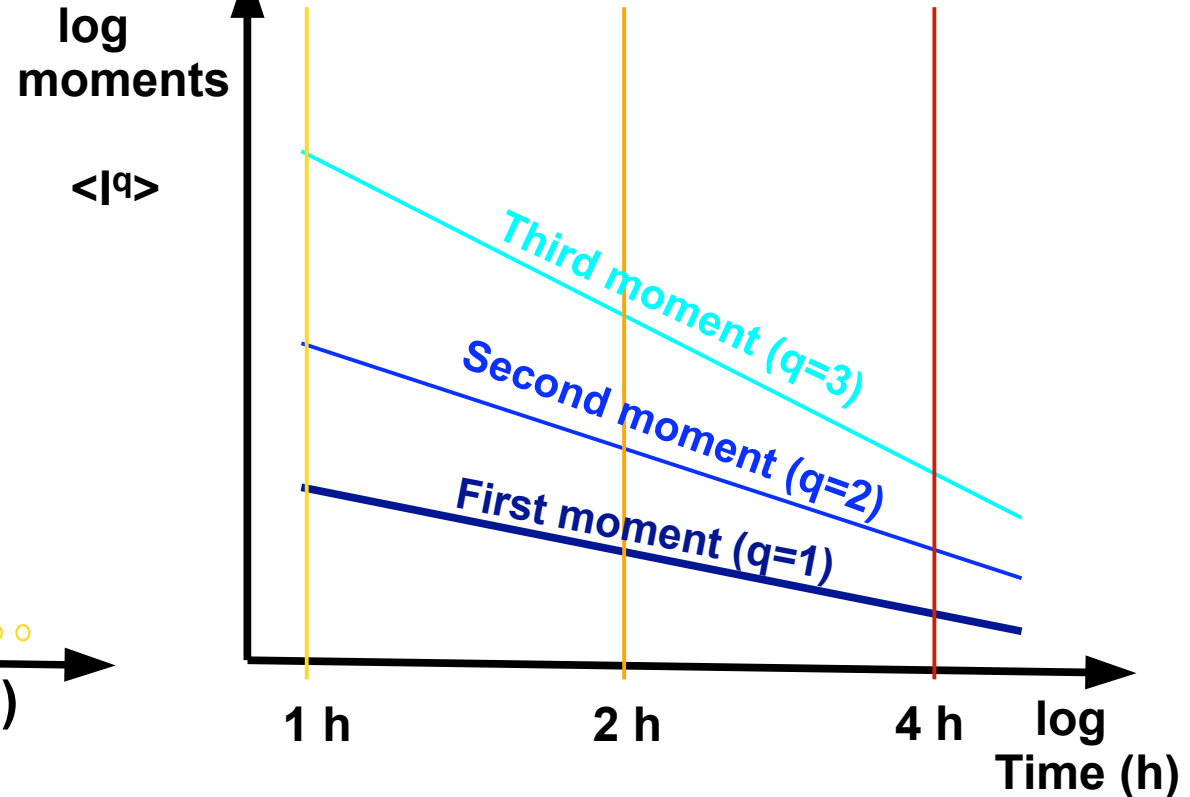
$$P(I_\lambda) \stackrel{d}{=} \lambda^c P(I_1)$$



STATISTICAL MOMENTS

$$\langle I_\lambda^q \rangle = \lambda^y \langle I_1^q \rangle$$

Gupta et al., 1990



Scaling moment linearity in log-log vs scale

Tails behavior

Point rainfall model

Spatial rainfall model

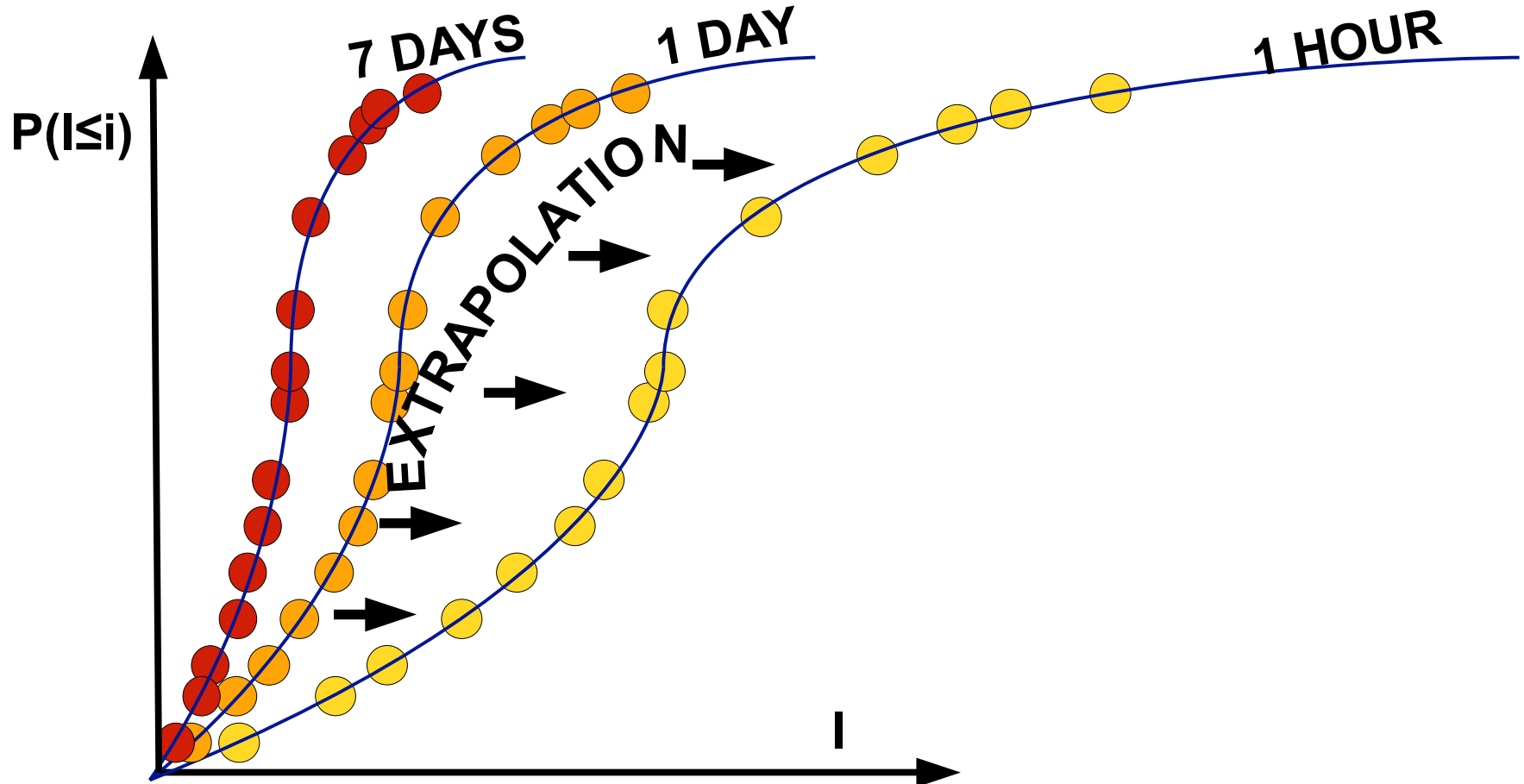
Extreme distribution

def ned through moments

THUS

Moments scaling

Extreme distribution scaling



Tails behavior

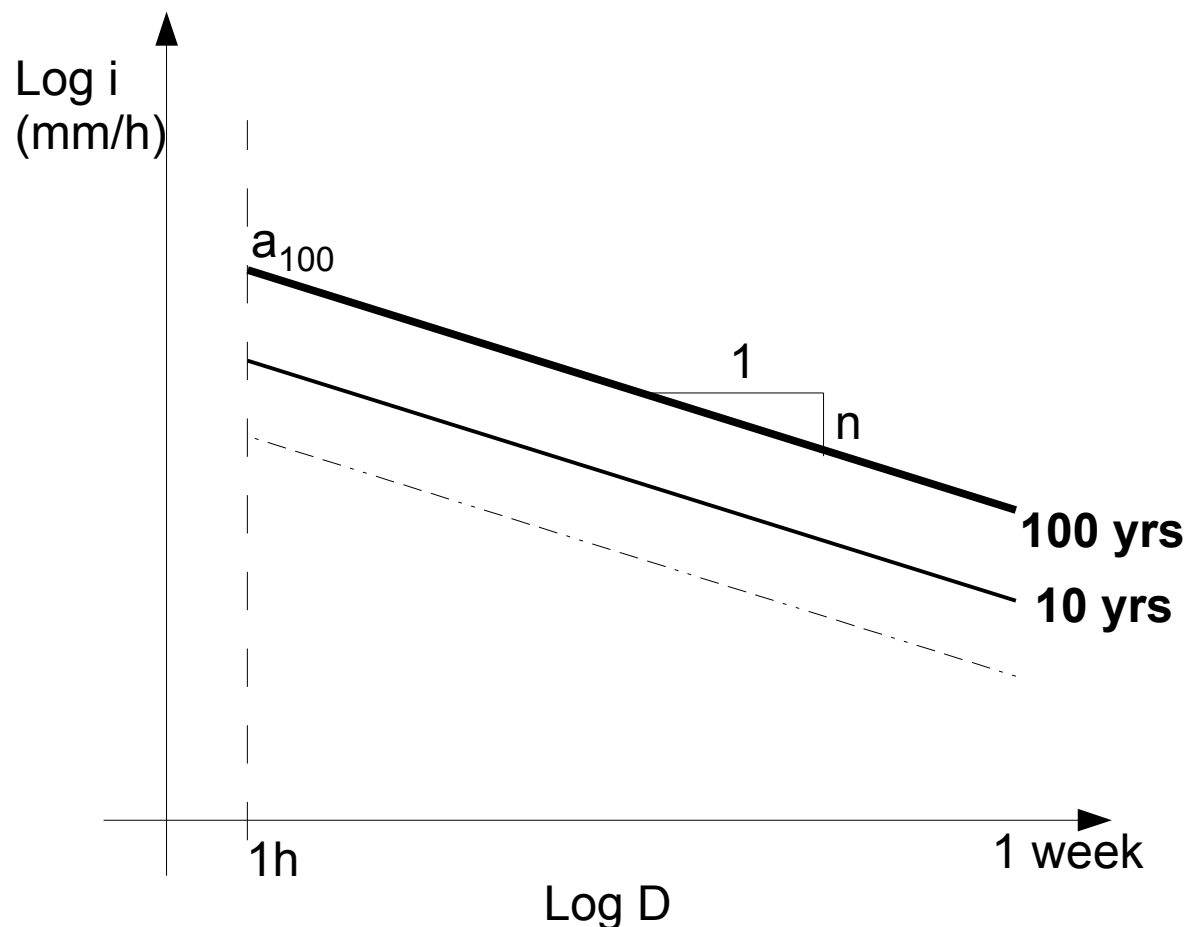
Point rainfall model

Spatial rainfall model

IDF: Intensity – Duration – Frequency curves

IDF

$$i_{D, T_R} = a(T_R) D^{-n(T_R)}$$



IDF: implicit scale-invariance relations for one T_R

Tails behavior

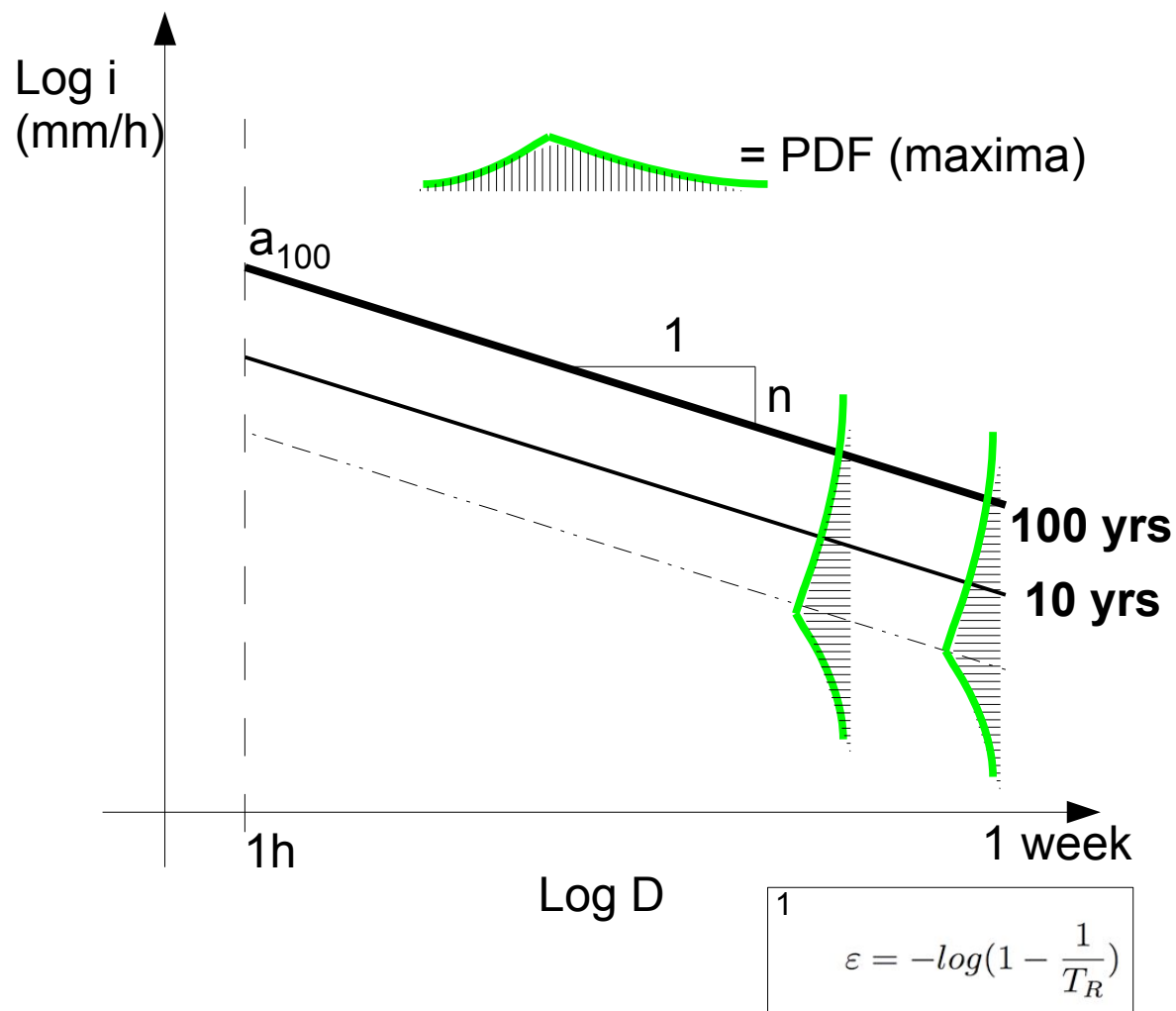
Point rainfall model

Spatial rainfall model

IDF: Intensity – Duration – Frequency + GEV Extremes

IDF
$$i_{D, T_R} = a(T_R) D^{-n(T_R)}$$

GEV
$$i(\mu, \sigma, T_R, \xi) = \mu + \sigma \frac{1 - (\varepsilon)^{-\xi}}{-\xi}$$

**IDF + GEV****Model for all scales and all T_R**

Tails behavior

Point rainfall model

Spatial rainfall model

GEV simple-scaling IDF model

IDF $i_{D, T_R} = a(T_R) D^{-n(T_R)}$

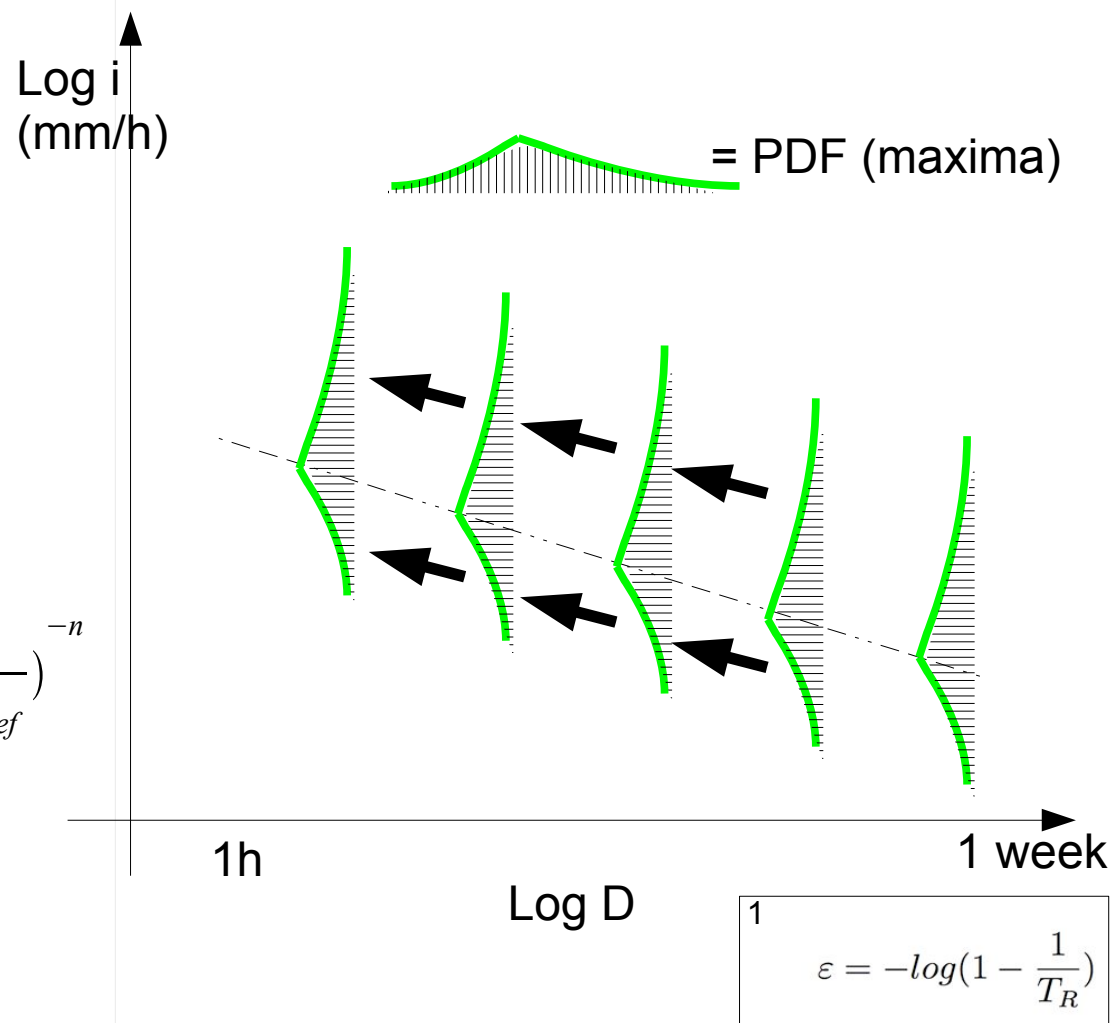
GEV $i(\mu, \sigma, T_R, \xi) = \mu + \sigma \frac{1 - (\varepsilon)^{-\xi}}{-\xi}$

Moments scaling

$$\mu_D = \left[m_{Dref}(x) + \frac{\sigma_{Dref}}{\xi} - \frac{\sigma_{Dref}}{\xi} \Gamma(1 - \xi) \right] \left(\frac{D}{D_{ref}} \right)^{-n}$$

$$\sigma_D^2 = \frac{s_{Dref}^2(x) \xi^2}{\Gamma(1 - 2\xi) - \Gamma(1 - \xi)^2} \left(\frac{D}{D_{ref}} \right)^{-n}$$

$$\xi_D = \xi_{Dref}$$



Use of daily series to estimate extreme rainfall down to 1 hour

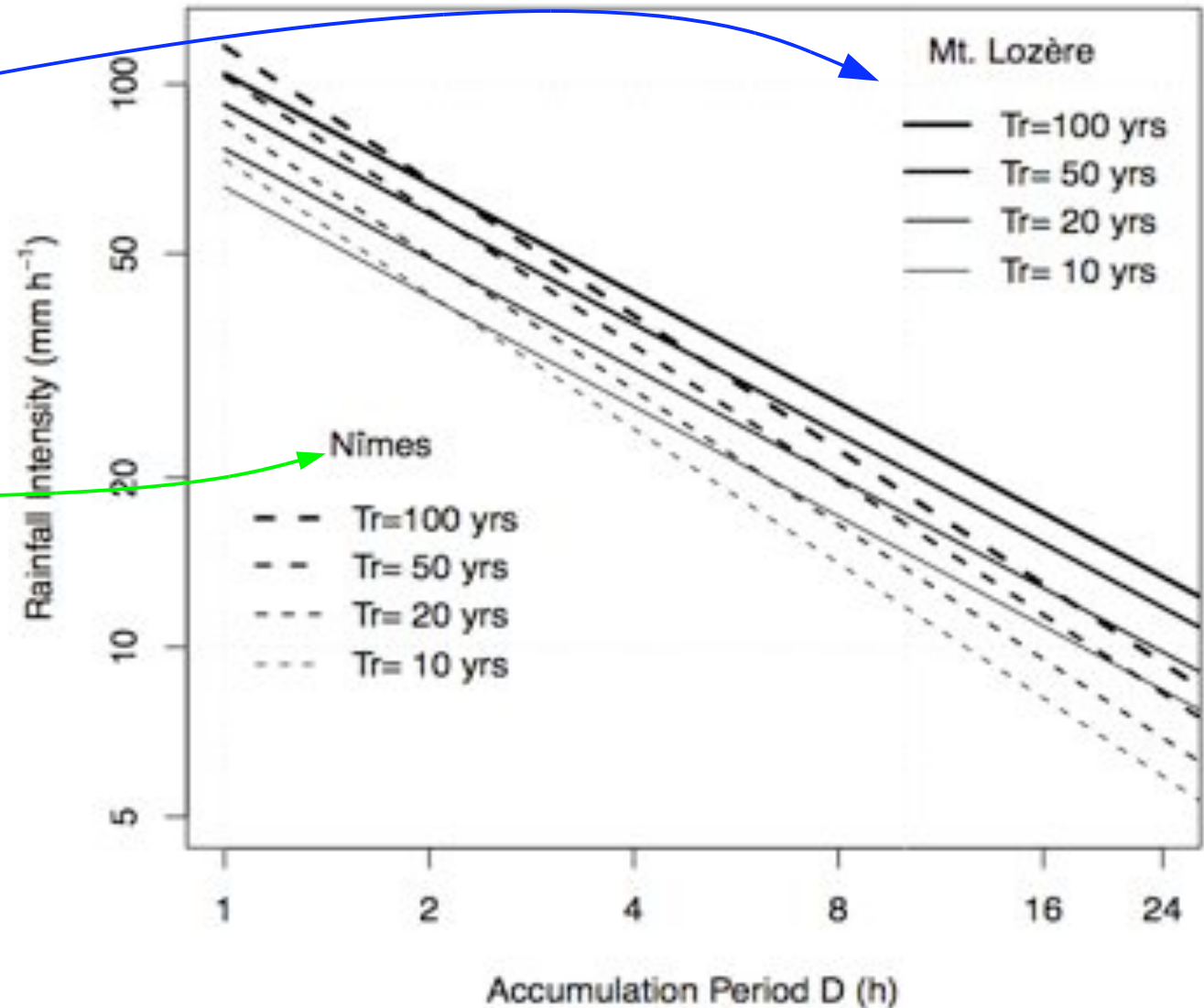
Tails behavior

Point rainfall model

Spatial rainfall model

Mountainous region

Flat lands

**Need of a regional model for IDF relations**

Tails behavior

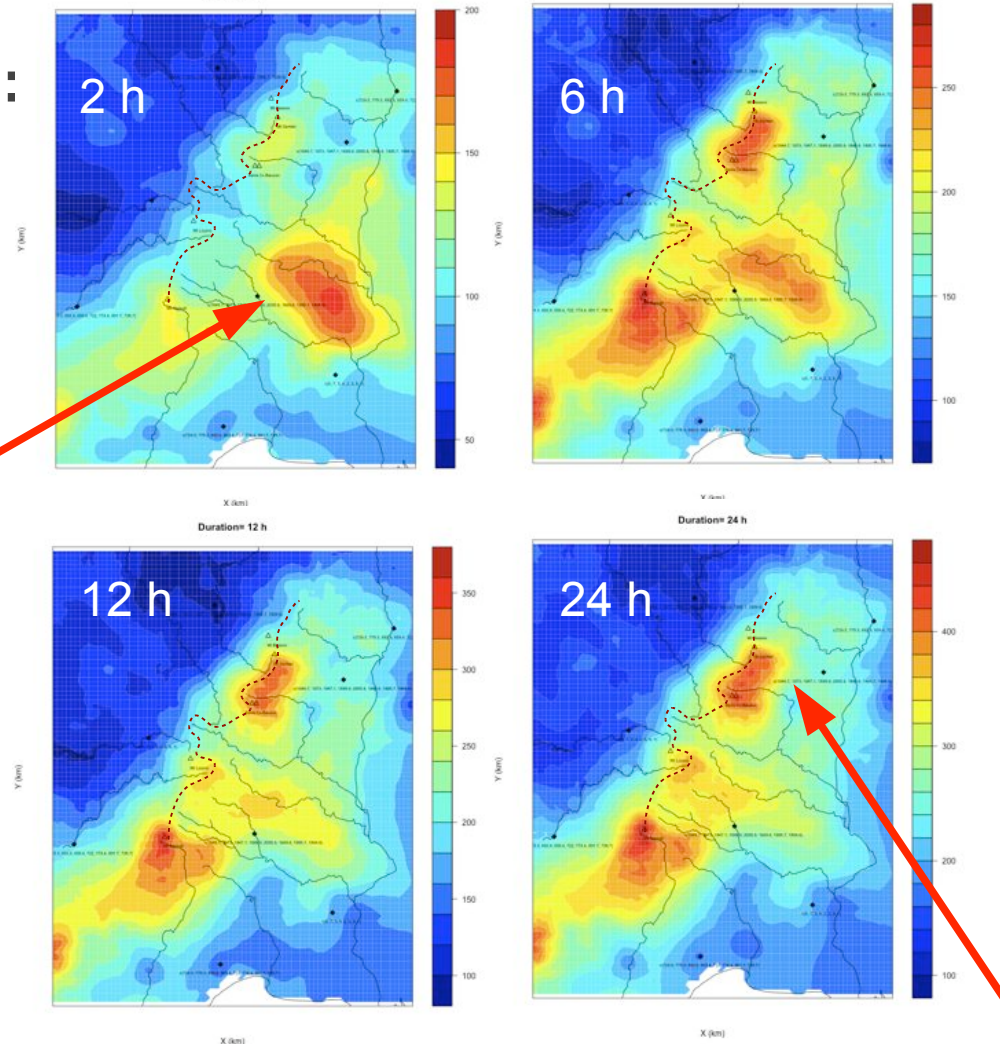
Point rainfall model

Spatial rainfall model

GEV simple-scaling IDF model:
Rainfall $T_r=100$ years

Maximum:
Flat land

ROBUST:
Obtained using daily data
(> 50 years of data at 225 gages)



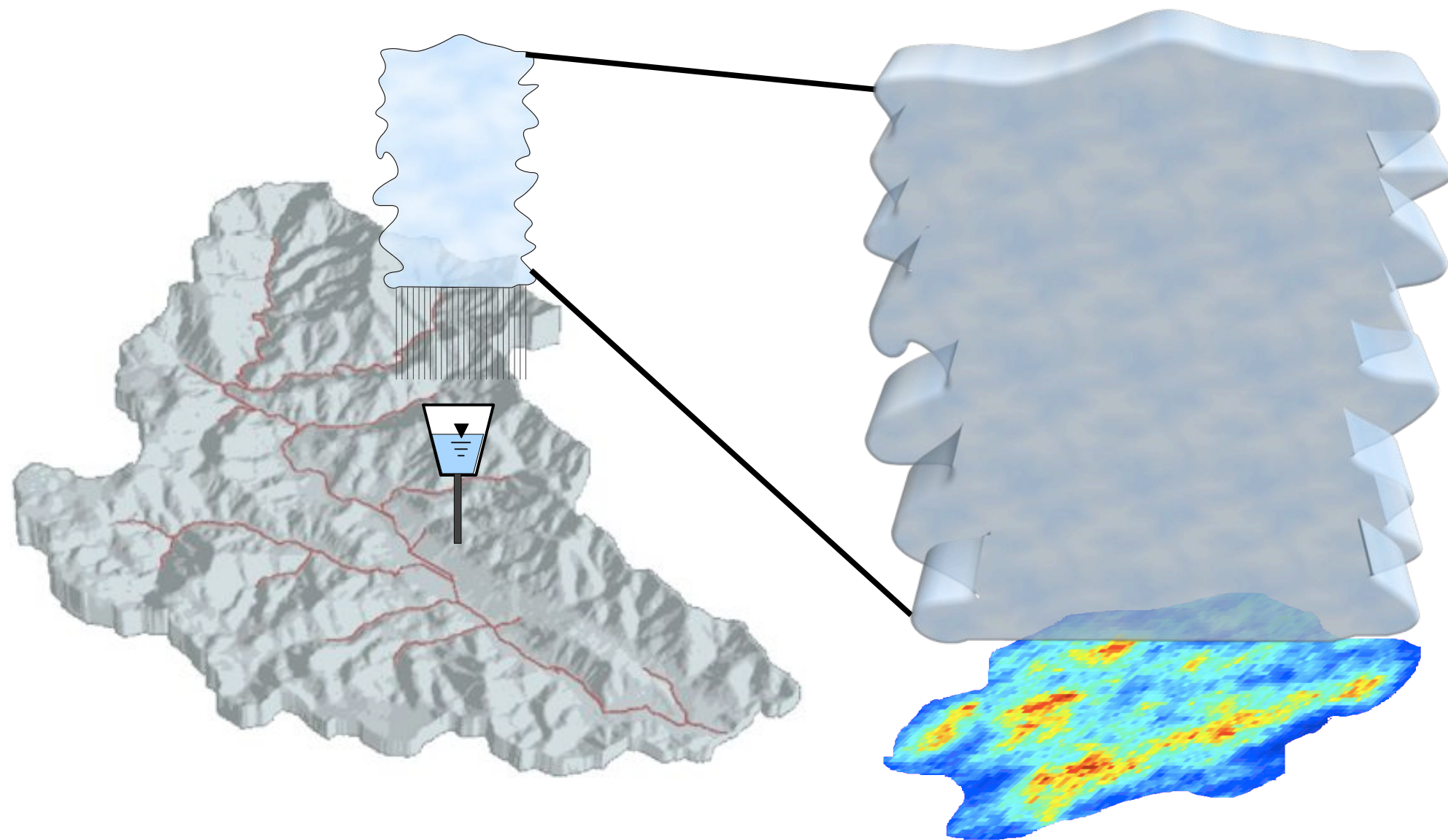
Daily data hides information on infra-daily scale

Maximum:
mountain
ridge

Tails behavior

Point rainfall model

Spatial rainfall model

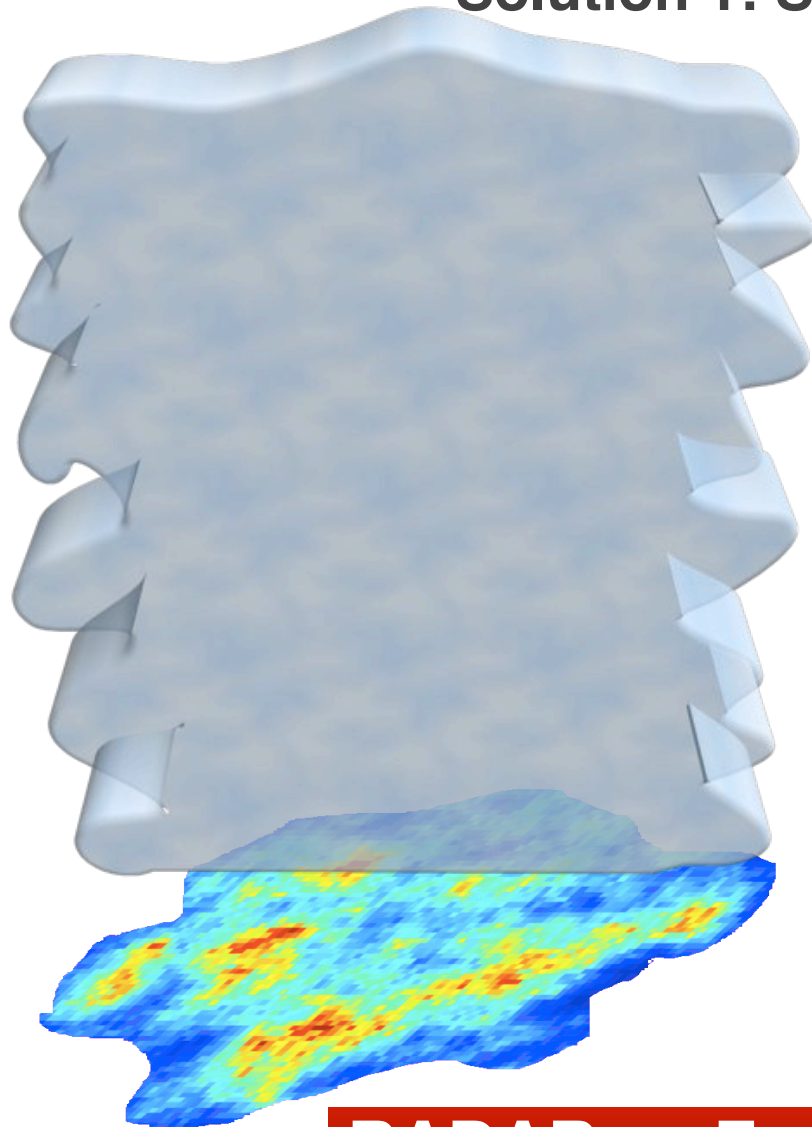
**Need to model extremes in space**

Tails behavior

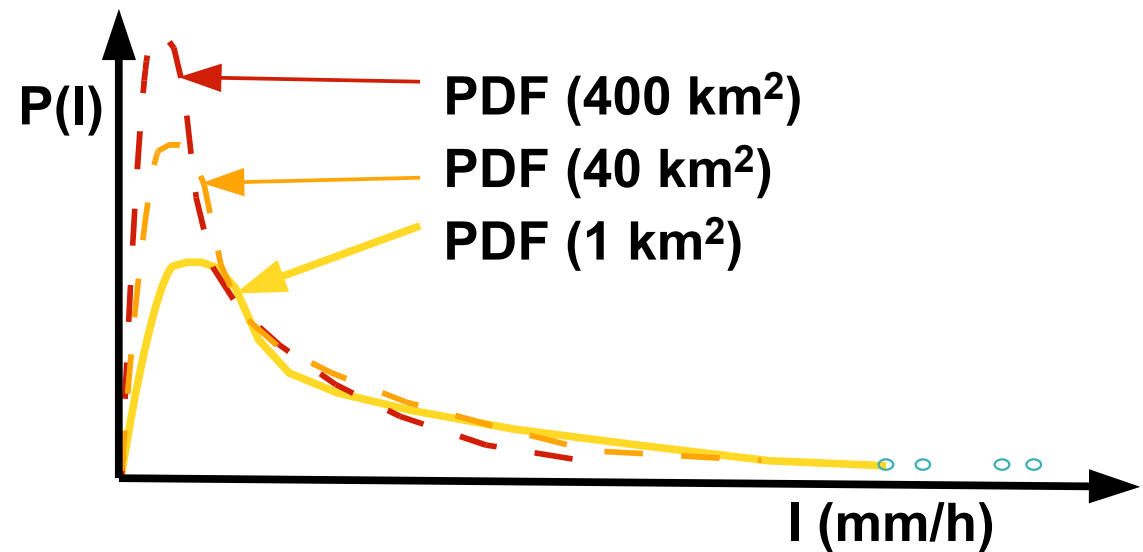
Point rainfall model

Spatial rainfall model

Solution 1: Statistics on radar data



RADAR IMAGERY
 spatial scale-invariance
 detected in the range 1-400 km²



$$P(I_\lambda) \stackrel{d}{=} \lambda^c P(I_1)$$

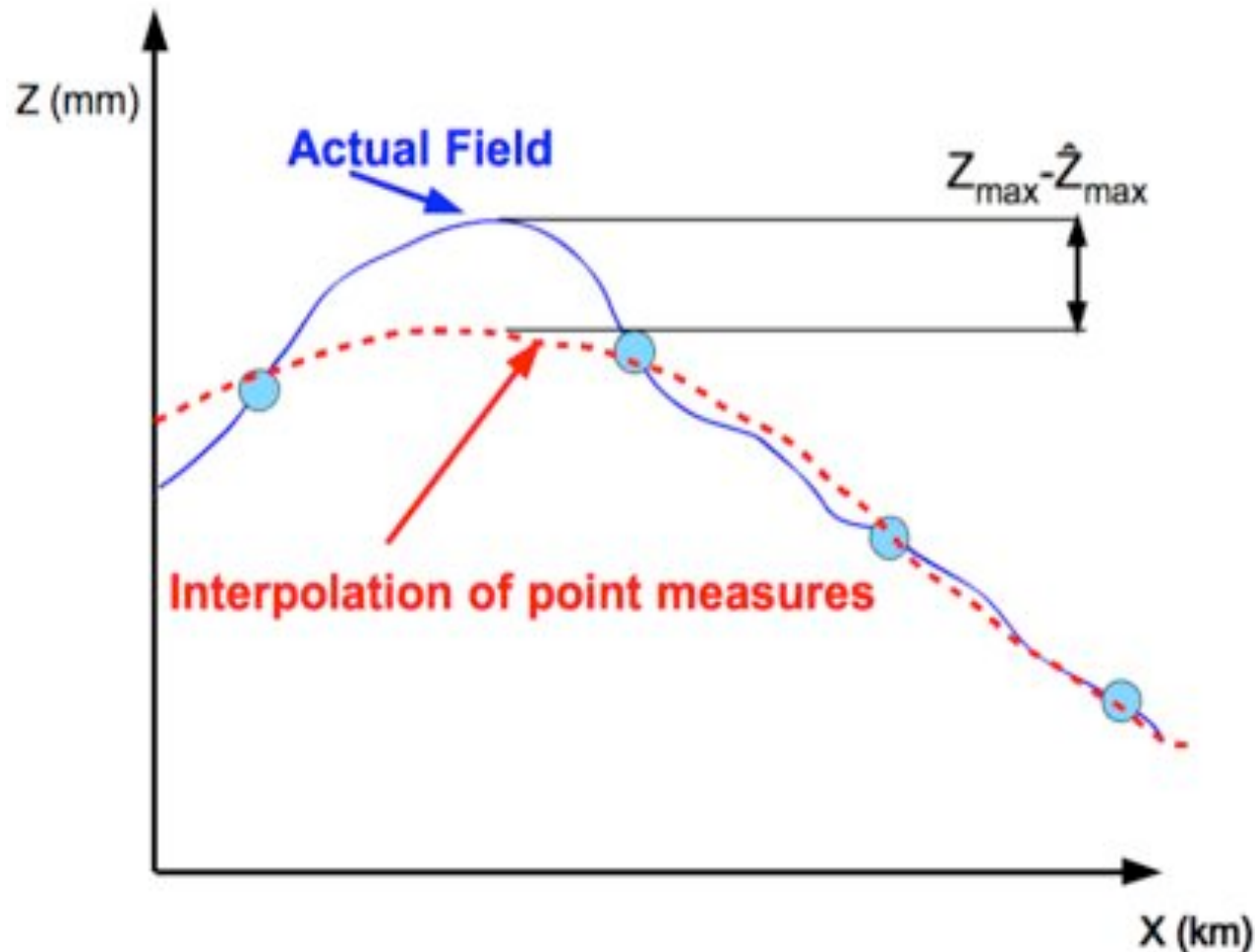
RADAR**Few events, not enough data**

Tails behavior

Point rainfall model

Spatial rainfall model

Solution 2: Interpolation of point data

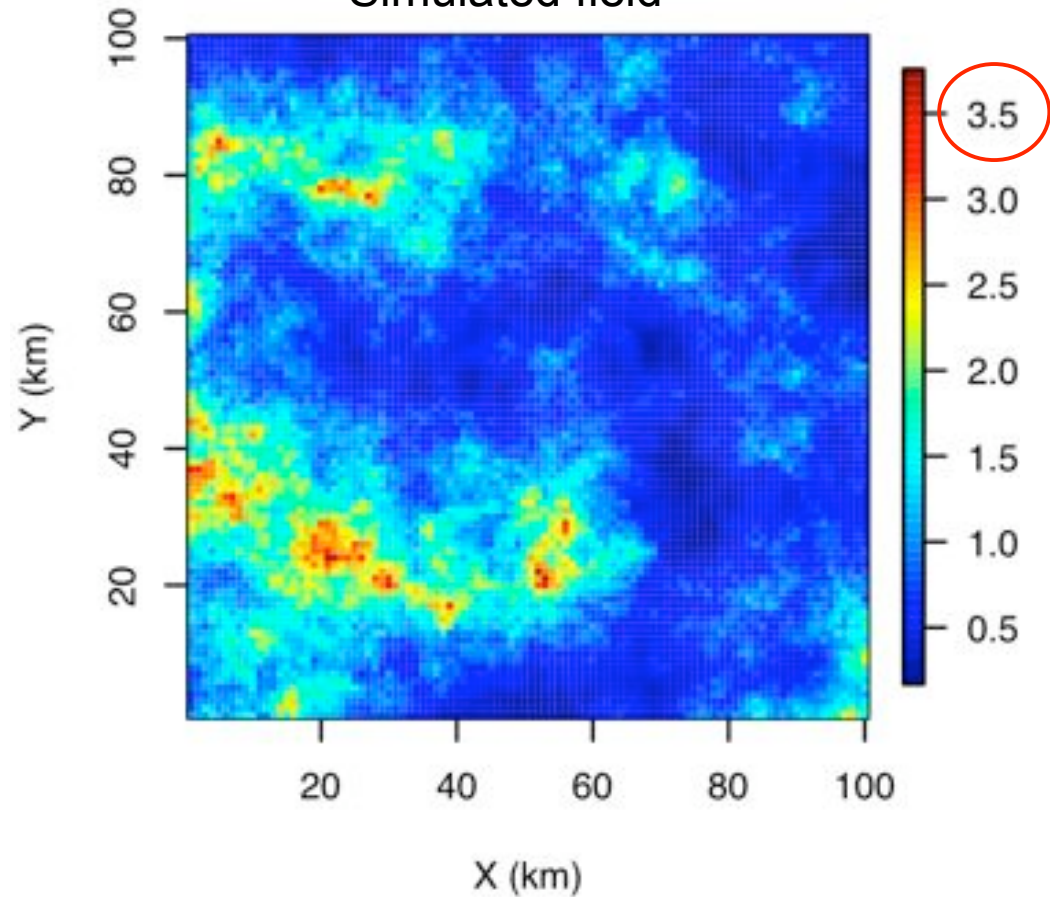
**Signif cant underestimation of maxima in coarse networks**

Tails behavior

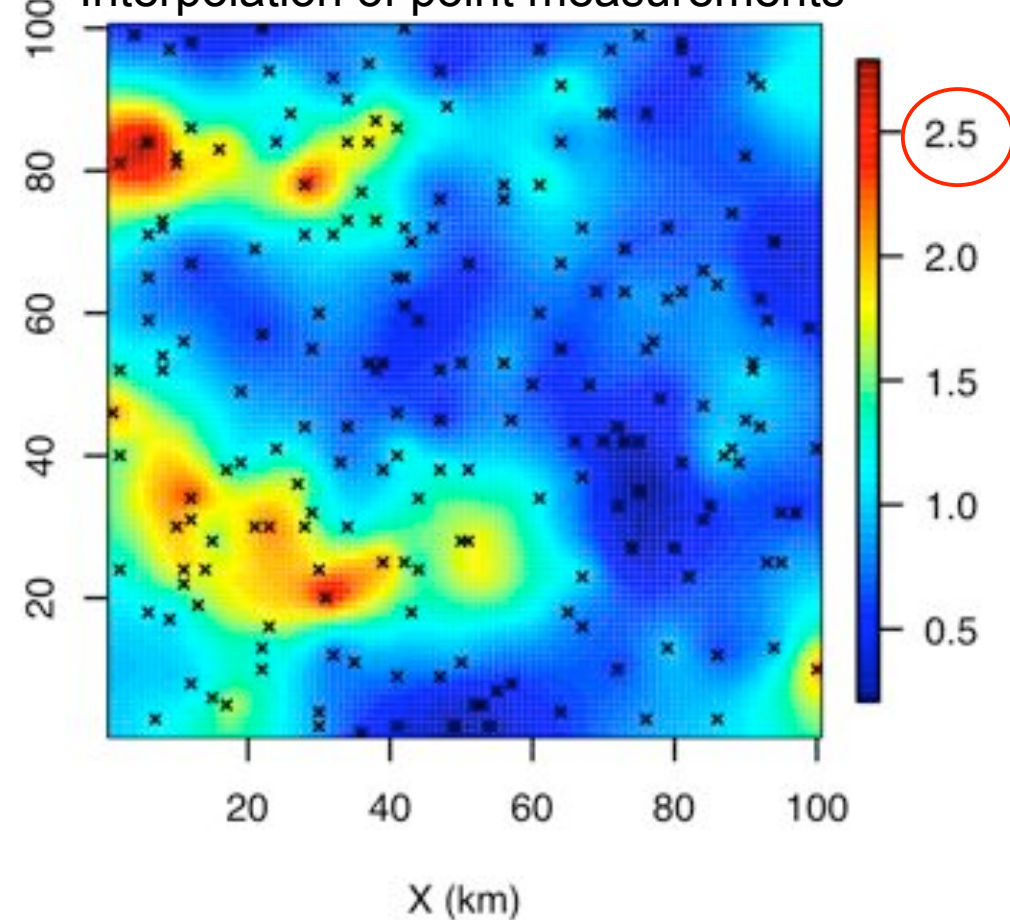
Point rainfall model

Spatial rainfall model**Solution 2: Interpolation of point data**

Simulated field



Interpolation of point measurements

**Spatial undersampling****Underestimation maxima 20-50%**

Tails behavior

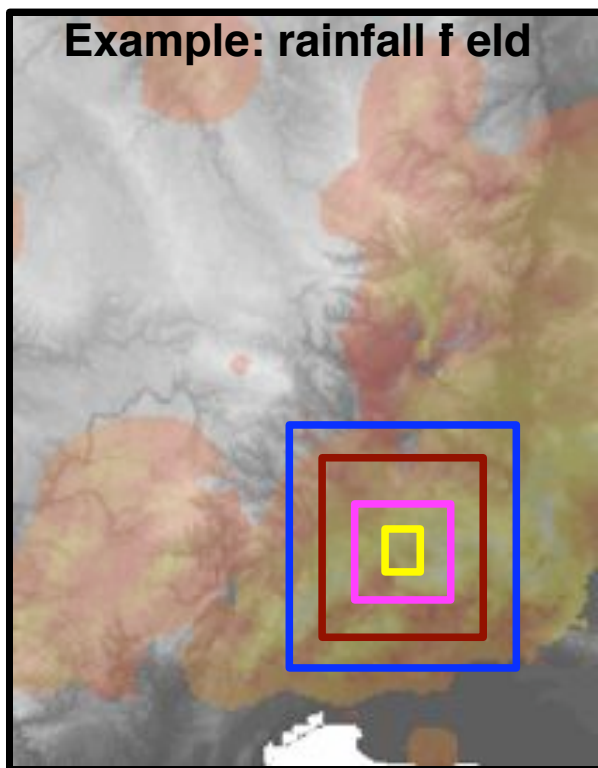
Point rainfall model

Spatial rainfall model**Solution 3: Semi-empirical model based on gages**

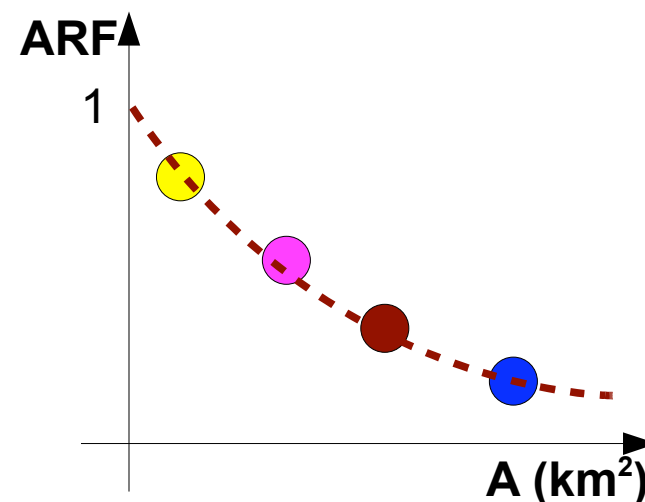
ARF: Areal Reduction Factor

$$I_{Tr}(A, T) = I_{Tr}(0, T) \cdot ARF_{Tr}(A, T)$$

Example: rainfall field



$$ARF = \frac{I_A}{I_0} \leq 1$$

**ARF computed from historical series 1993-2008**

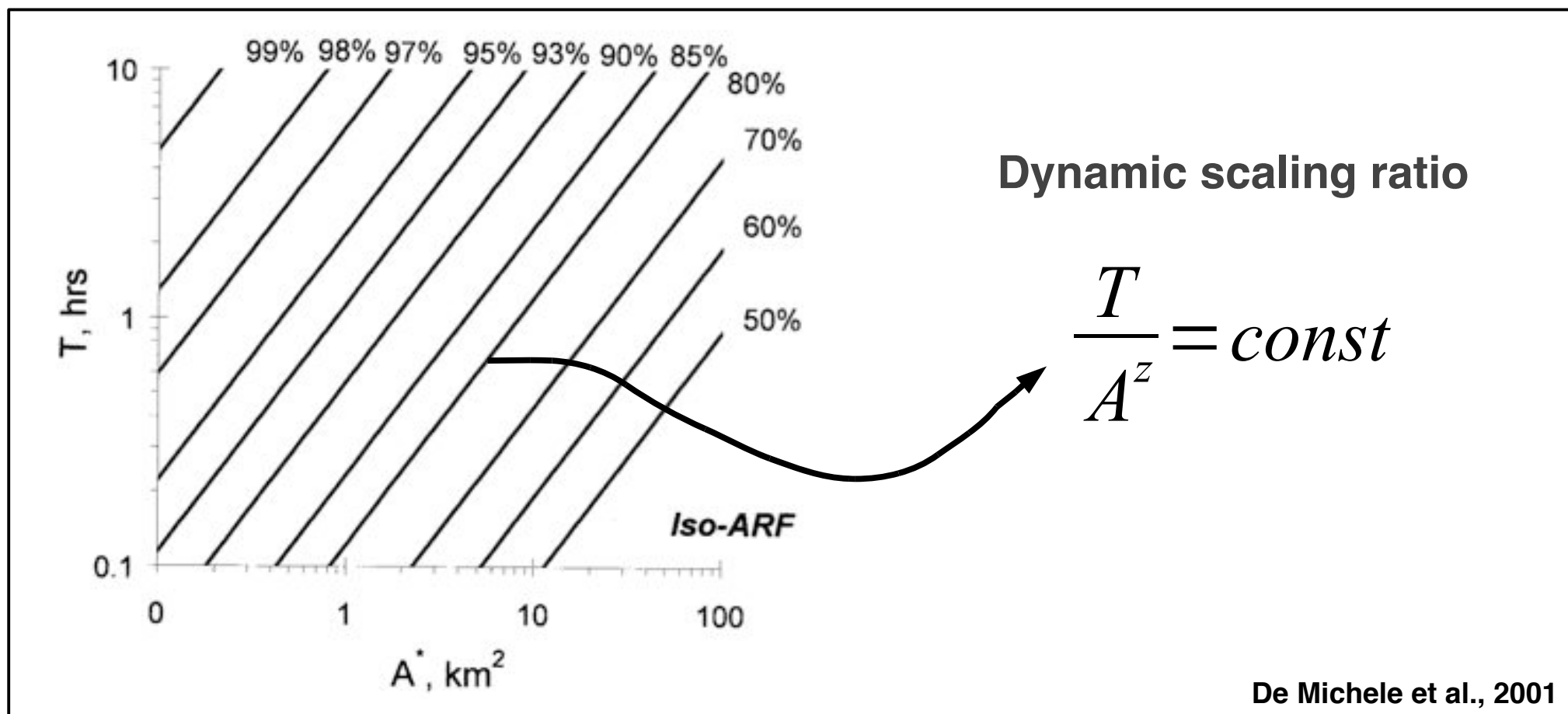
Tails behavior

Point rainfall model

Spatial rainfall model

Solution 3: Semi-empirical model based on gages

Dynamic scaling model for ARF



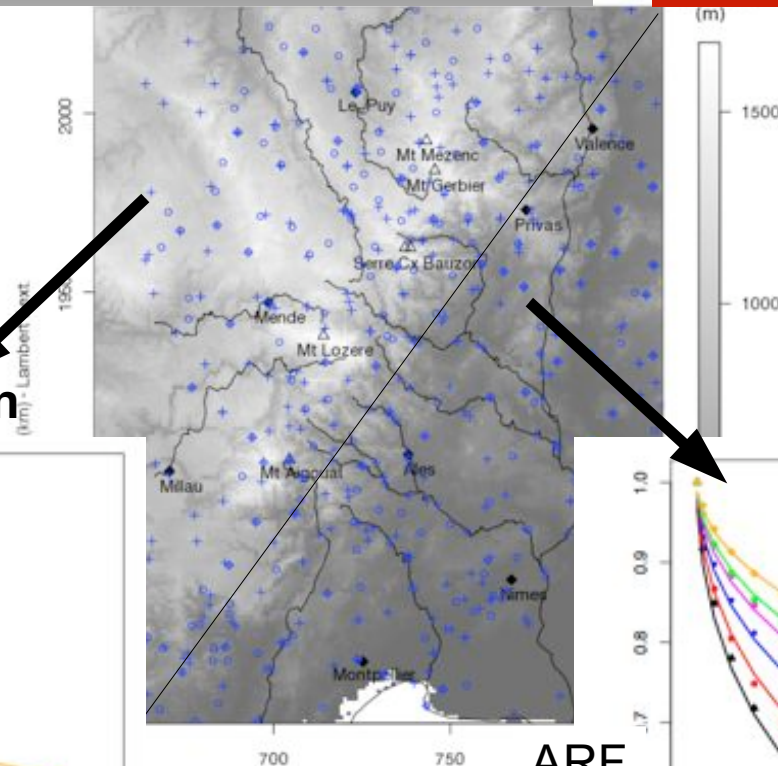
We can build AREAL REDUCTION FACTOR

Tails behavior

Point rainfall model

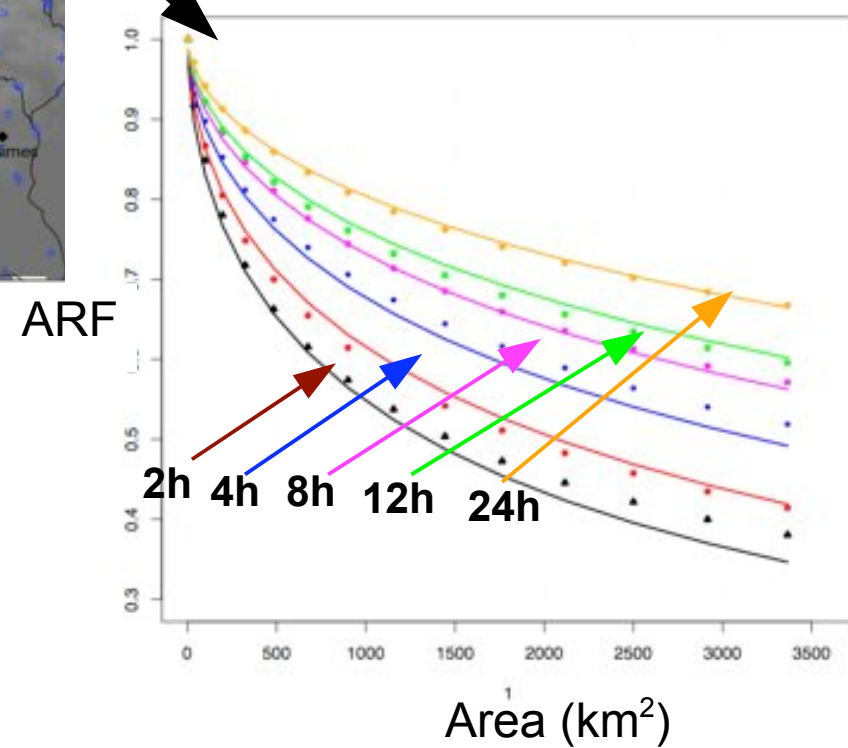
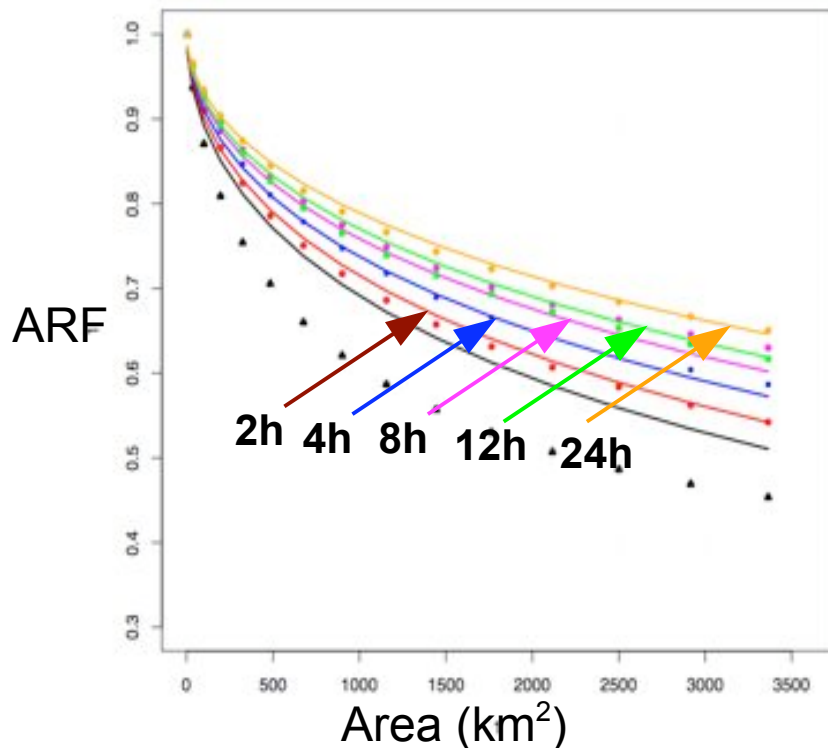
Spatial rainfall model

ARF in Cévennes-Vivarais region



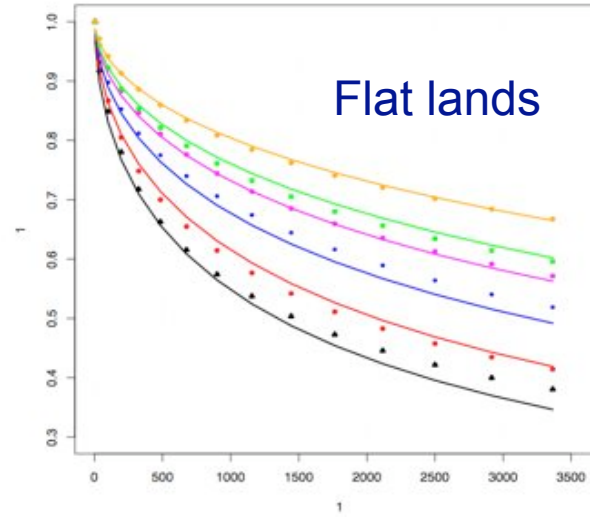
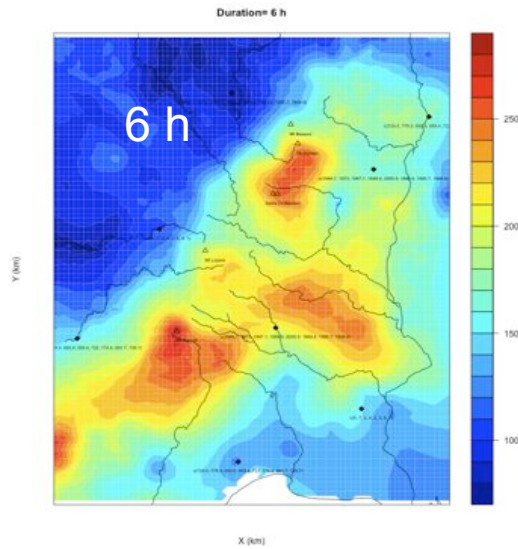
Mountainous region

Flat Lands

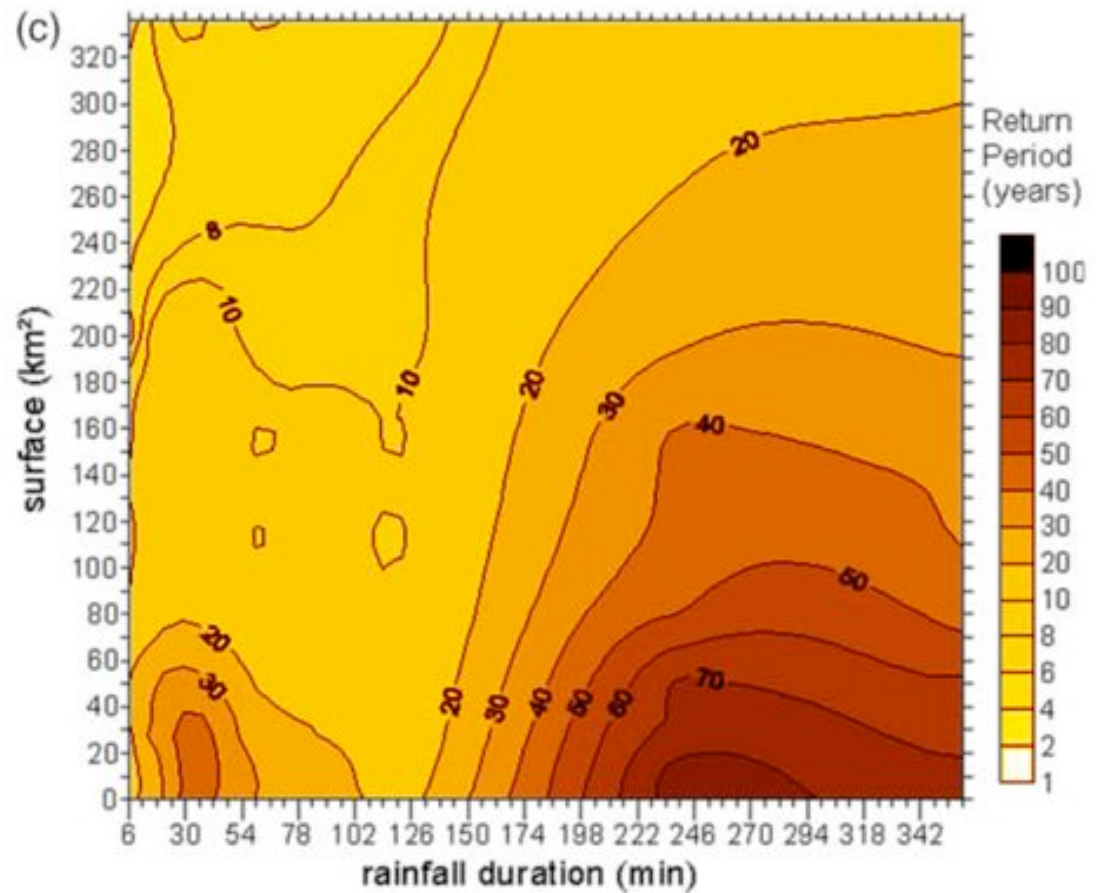
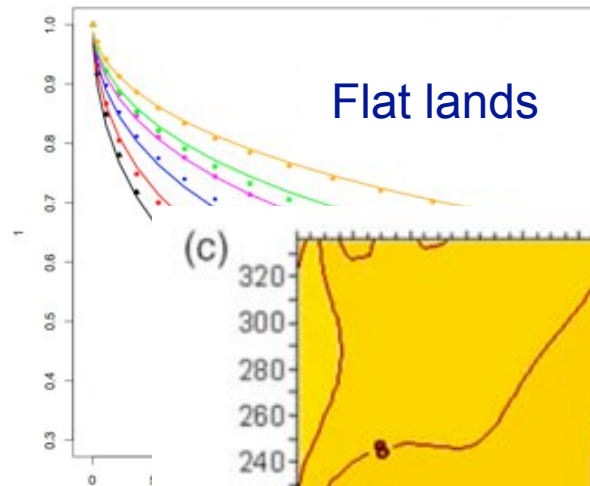
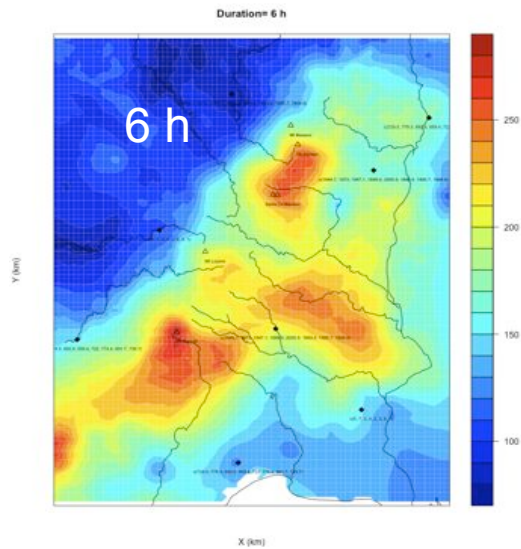


Duration has lower influence in mountain

Point rainfall model + Spatial rainfall model



Point rainfall model + Spatial rainfall model



Severity Diagrams

Regional model for assessing the magnitude of extremes

PART III

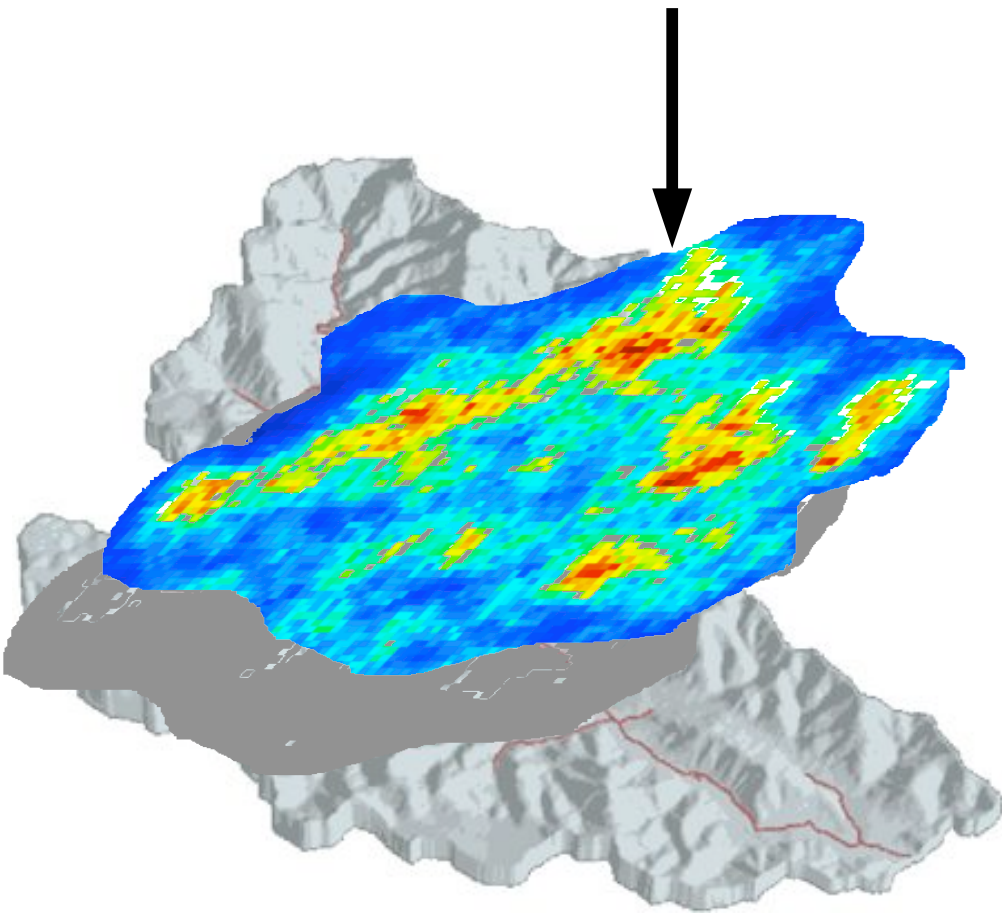


**APPLICATION:
SEVERITY DIAGRAMS**

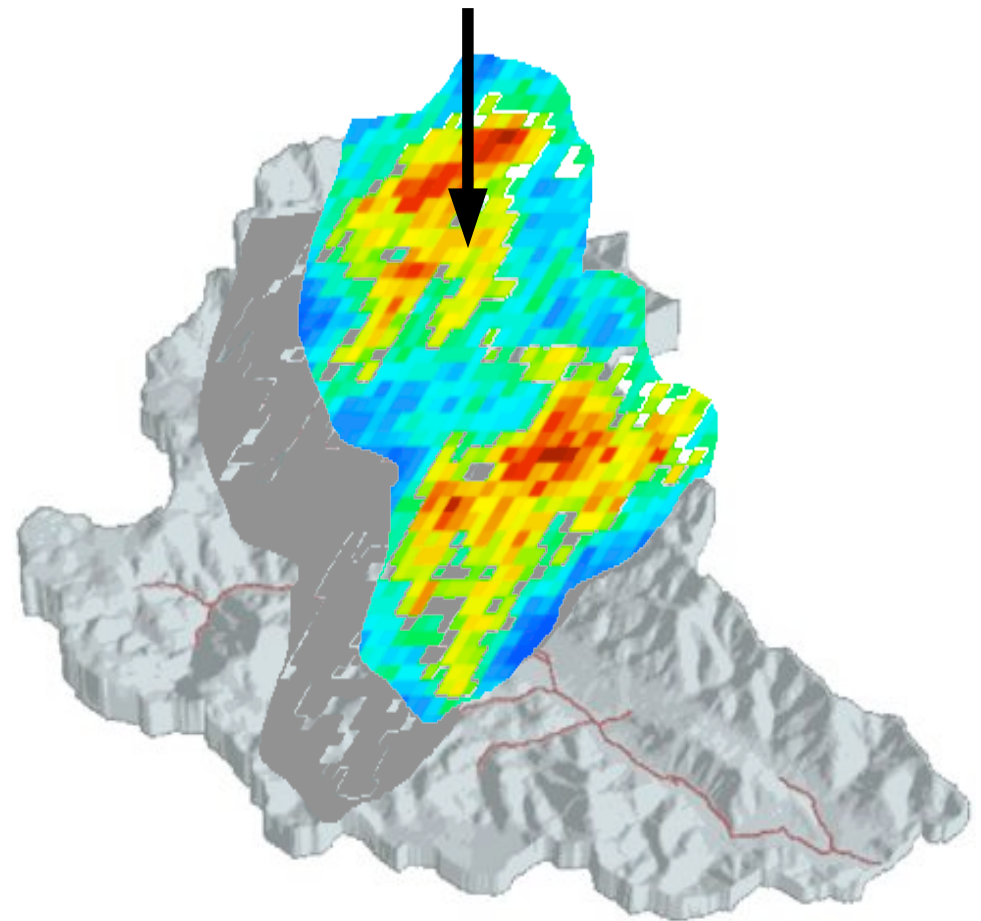
Use of Severity Diagrams

Storm comparison

Observed storm

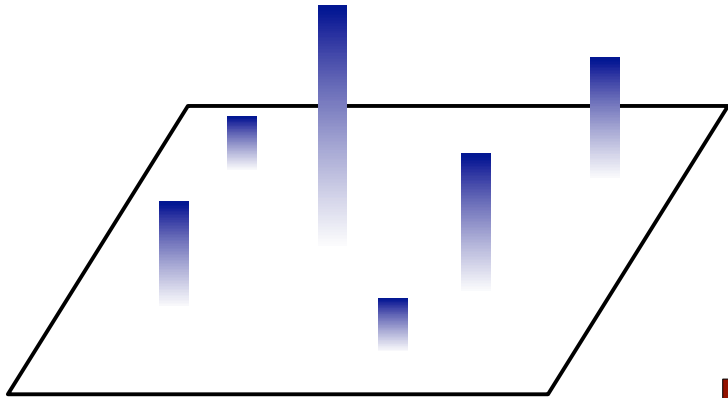


Virtual storm
(numerical simulation)

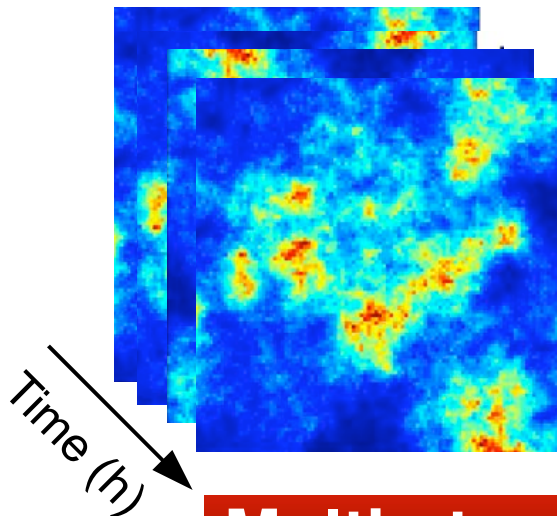


From rainfall fields to severity diagrams

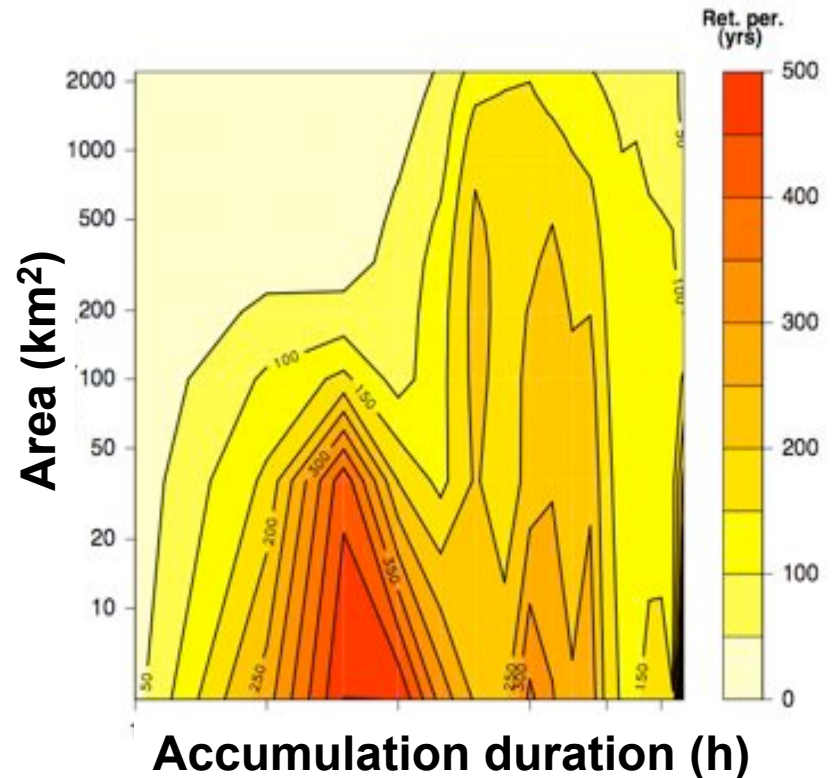
Rain gauge data



Radar data or simulated model



Severity Diagram (yrs)



- Storm comparison
- Model evaluation
- Real-time monitoring

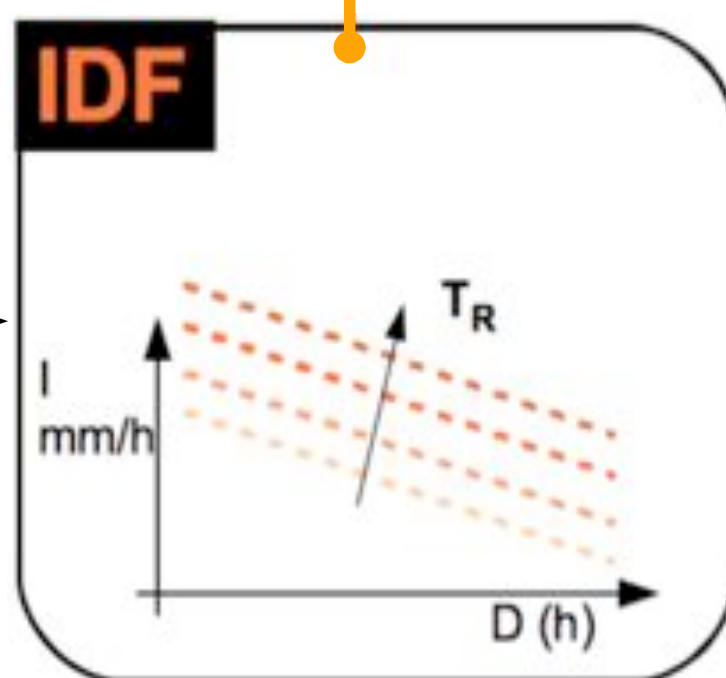
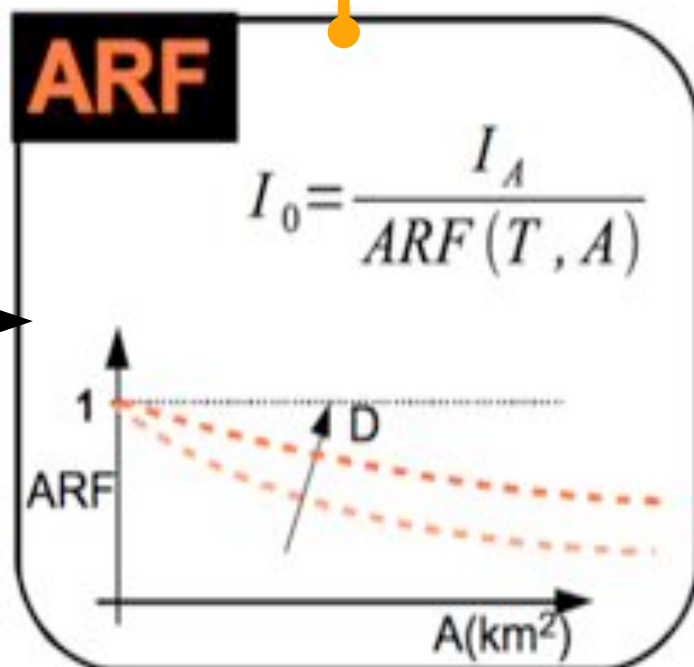
Multi-step process involving historical series

Severity Diagrams computation

AREAL REDUCTION FACTOR

INTENSITY- DURATION- FREQUENCY

SPATIAL RAINFALL



SEVERITY

Assign to each spatial rainfall observation a frequency value (severity)

Application of severity diagrams

Respect to Ramos --> larger domain with

- Heterogeneity of rainfall extreme behavior (flat lands, mountain..)
- Coarser rainfall network

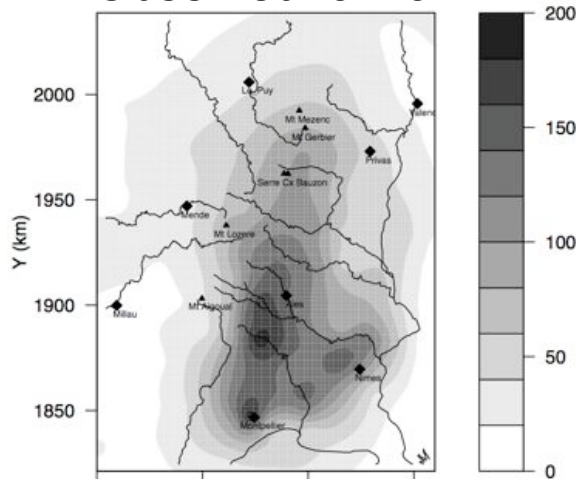
We can use our space-time model to compute SEVERITY DIAGRAMS for any storm occurring in the Cévennes

Applications:

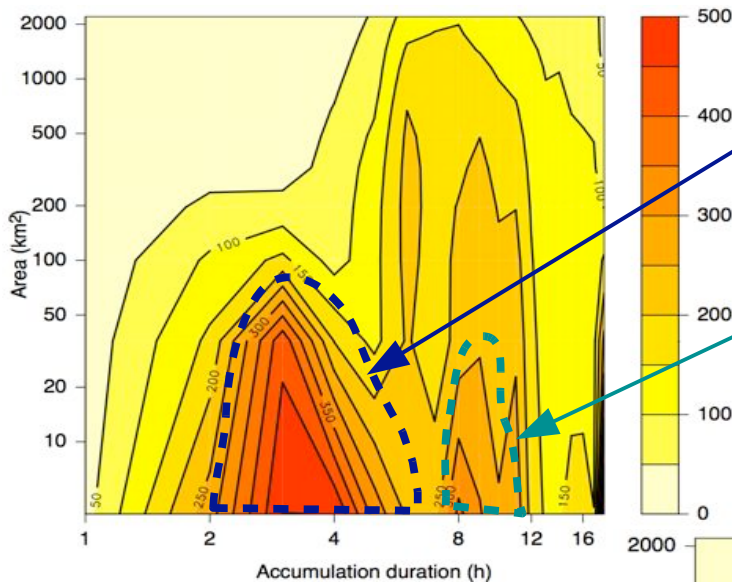
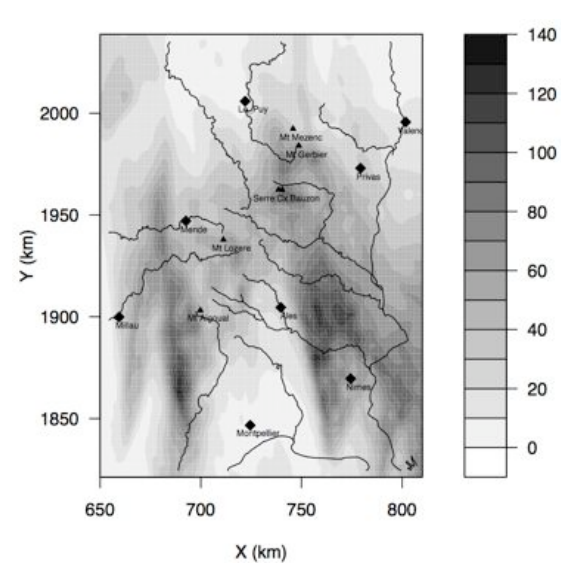
1. Evaluation of meso-scale deterministic simulations (MesoNH)
2. Evaluation of the variability of Ensemble simulations (AROME)

Evaluation of deterministic simulations performance: 2005, Sep 06

Observed rainfall



MesoNH rainfall



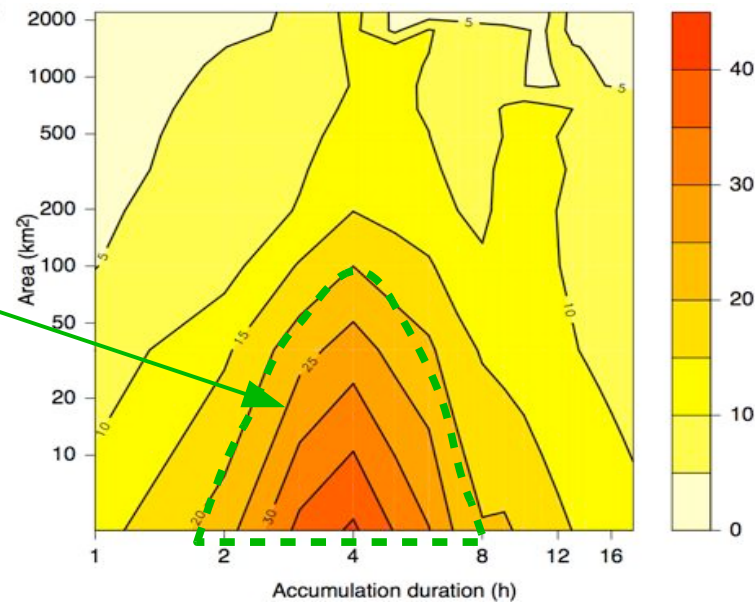
Observed severity

Small scale max ~ 500 yrs
3-4 hours / 0-100 km²

Large scale max ~ 300 yrs
7-10 hours / 0-30 km²

Simulated severity

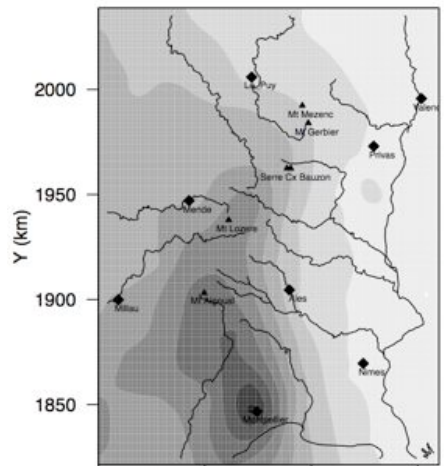
Small scale max ~ 50 yrs
3-6 hours / 0-50 km²



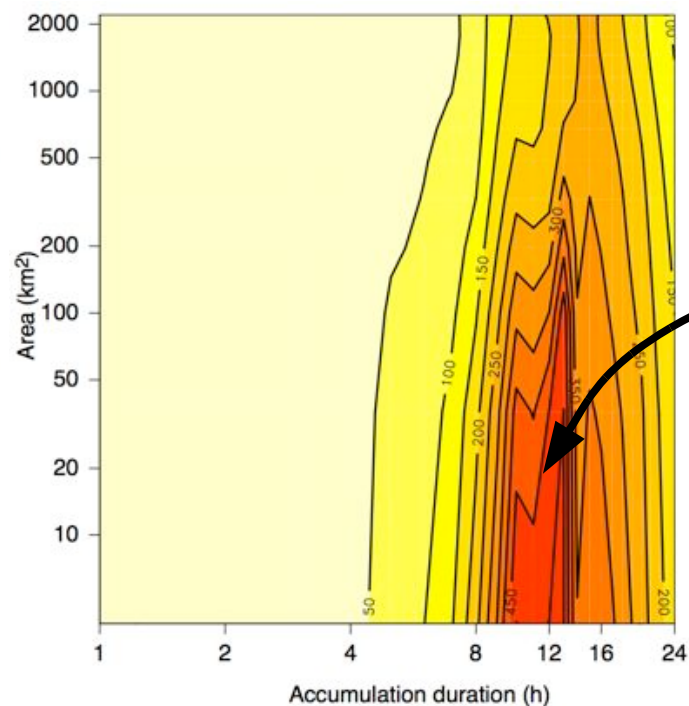
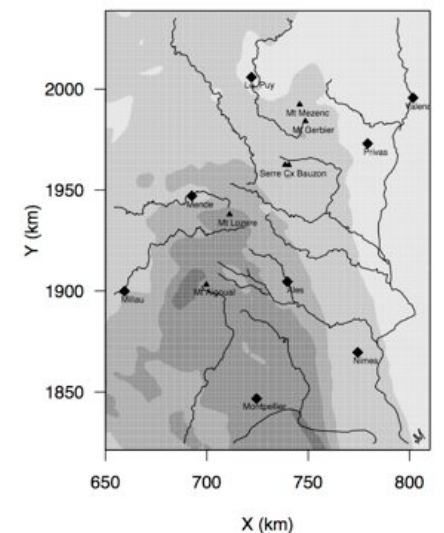
Wrong Maximum Location - Rainfall Underestimation – Different space-time scales

Deterministic simulation performance: 2003, Dec 03

Observed rainfall



MesoNH rainfall



Simulated severity

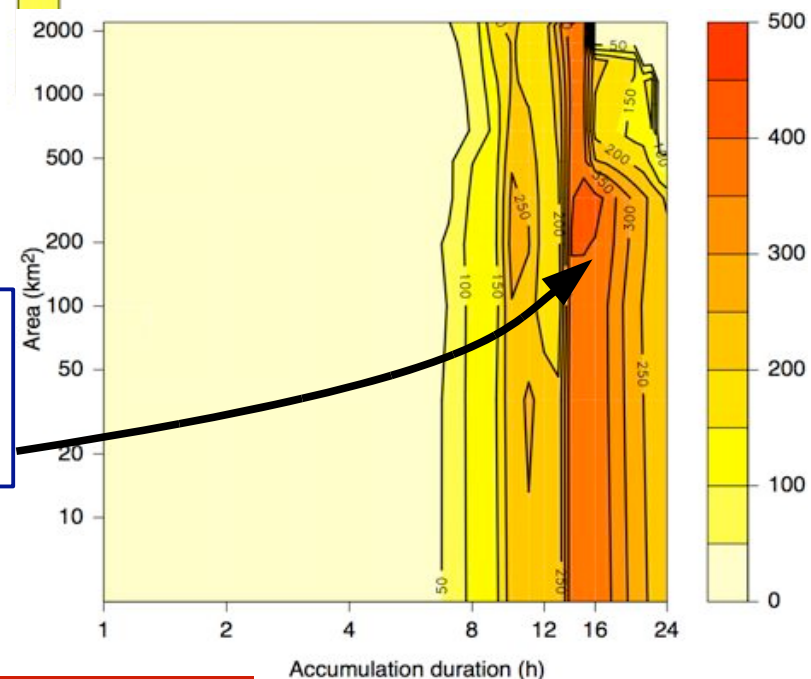
Maximum Severity: ~500 yrs

Time scale: 14-18 h
Spatial scale: 200-500 km²

Observed severity

Maximum Severity: ~500 yrs

Time scale: 9-14 h
Spatial scale: 0-200 km²



Severity: an effective multiscale diagnostic

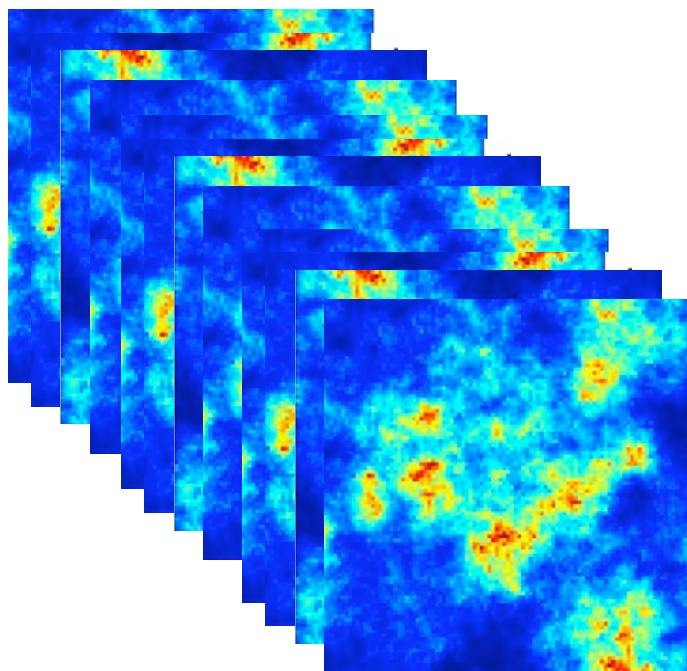
Ceresetti et al, 2011,
submitted to WaF

Evaluation of ensemble simulations variability

Model: AROME Operational Model (Météo-France)

Probabilistic ensemble: group of simulations obtained perturbing

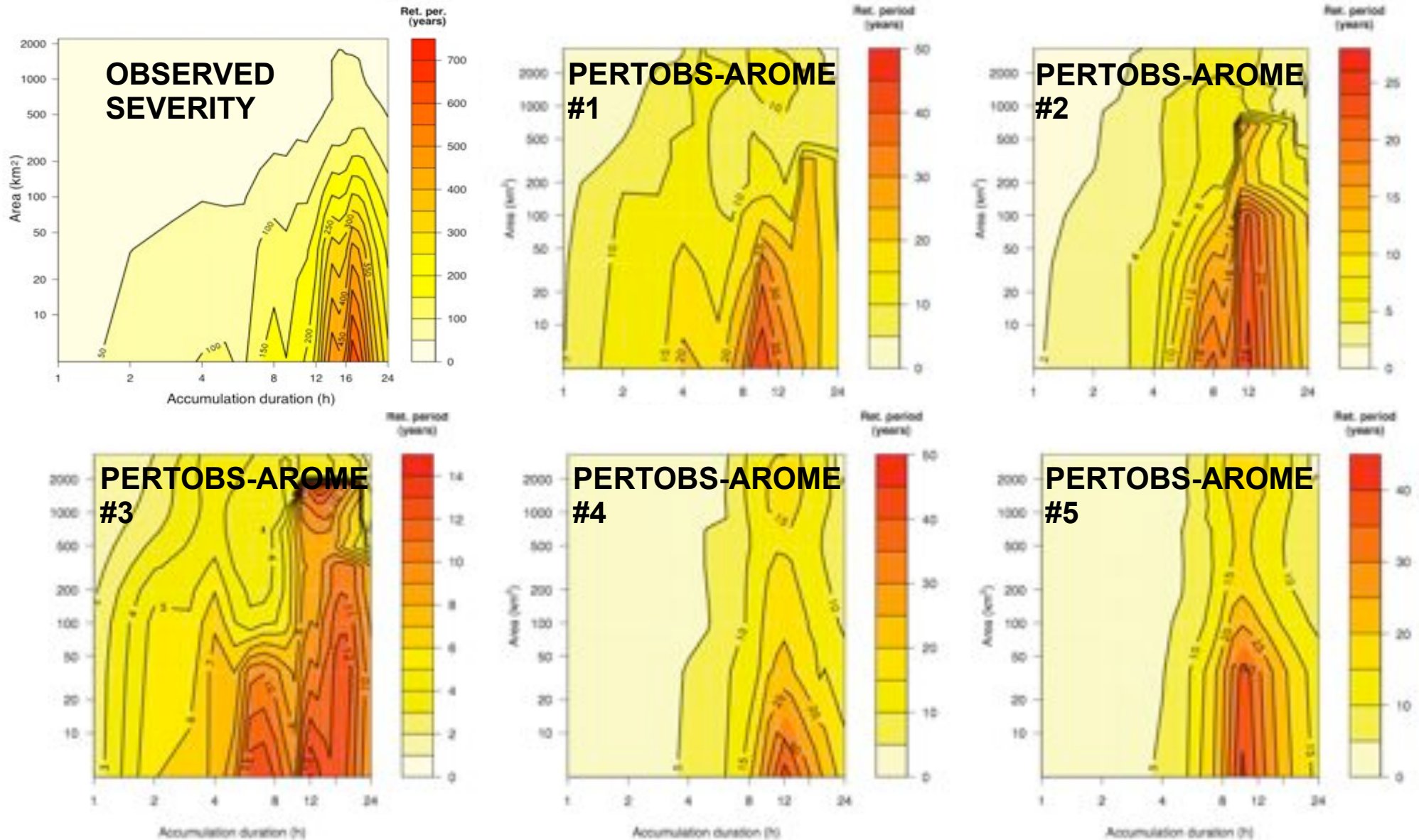
- Initial Conditions
- Boundary Conditions



2008, November 01 Storm

Determine the variability of the members

Application: effect of initial conditions



Space-time scales OK, LOW magnitude

PART IV



**CONCLUSION AND
PERSPECTIVES**

Conclusion

MAIN RESULTS:

- Quantification of the error committed by rain gauge devices
- Quantification of the underestimation due to spatial undersampling
- Assessment of the tail behavior of rainfall extremes
- Regionalization of point/spatial rainfall extremes (IDF+ARF curves)
- Detection of the spatial and temporal scale-invariance ranges
- Estimate the magnitude of heavy rainfall events in the Cévennes region
- Evaluation of performance of meteorological models

Perspectives

- **Rain gauge uncertainties: design of a new rain gauge network (HyMeX project)**
- **Regional IDF+ARF curves: severity characterization of future events**
- **Severity diagrams of ensemble simulations: improvement of ensemble simulations**

Dissemination of a rigorous framework in which precipitation is seen as a continuum of scales

Can we apply this framework to other variables?

THANK YOU!



**Dissemination of a rigorous framework in which
rainfall is seen as a continuum of scales**

**Dissemination of a rigorous framework in which
rainfall is seen as a continuum of scales**